

# X-ray and rotational luminosity correlation and magnetic heating of the radio pulsars

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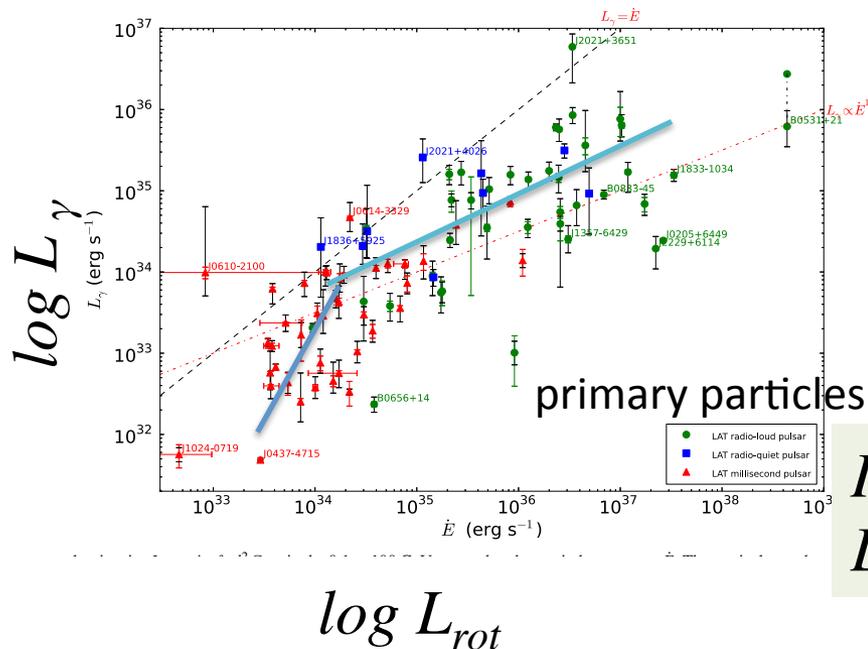
Correlation between  
X-ray Luminosity  $L_x$  and the spin-down Luminosity  $L_{rot}$   
to understand the magnetosphere

$$L_{rot} = I \Omega (d\Omega/dt) \sim \mu^2 \Omega^4 / c^3$$

$$L_\gamma \propto L_{rot}^{1/2}$$

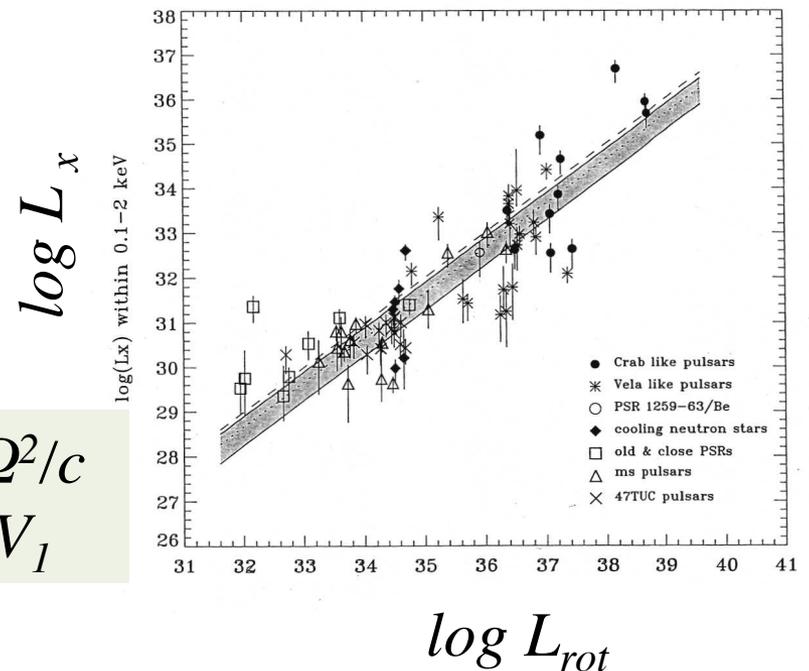
$$L_x \propto L_{rot}$$

secondary particles?



$$I = \mu \Omega^2 / c$$

$$L_\gamma = IV_1$$



The Second Fermi Large Area Telescope Catalog of Gamma-ray Pulsars (The Fermi-LAT collaboration 2013) *apjs*, 208,2

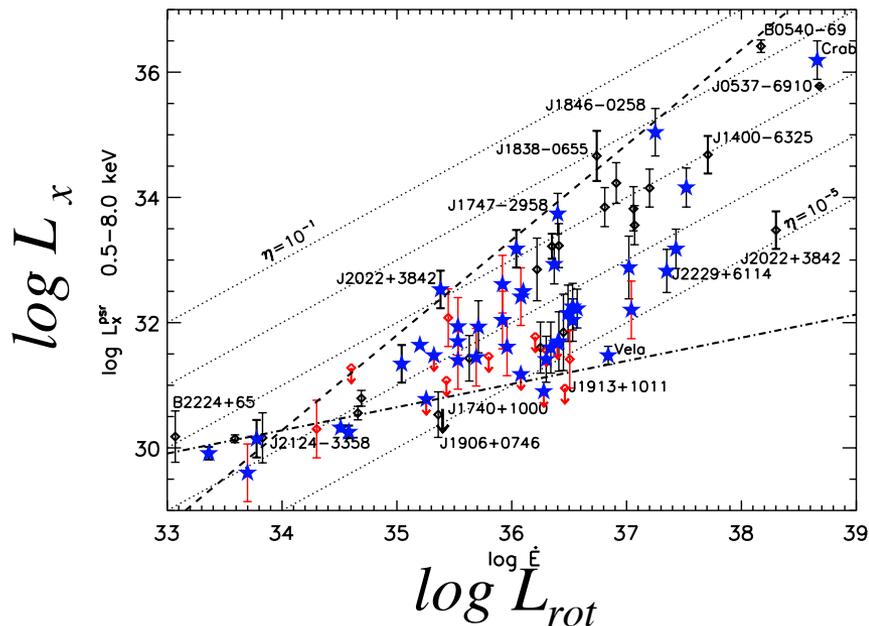
Becker, W. 2009, *Astrophysics and Space Science Library*, 357, 91

# $L_x - L_{rot}$ correlation

▪ a number of regression lines:  $\log L_x = c_1 \log L_{rot} + const.$

▪ large scatter :  
no statistically acceptable regression lines

Unknown physics/parameter here!



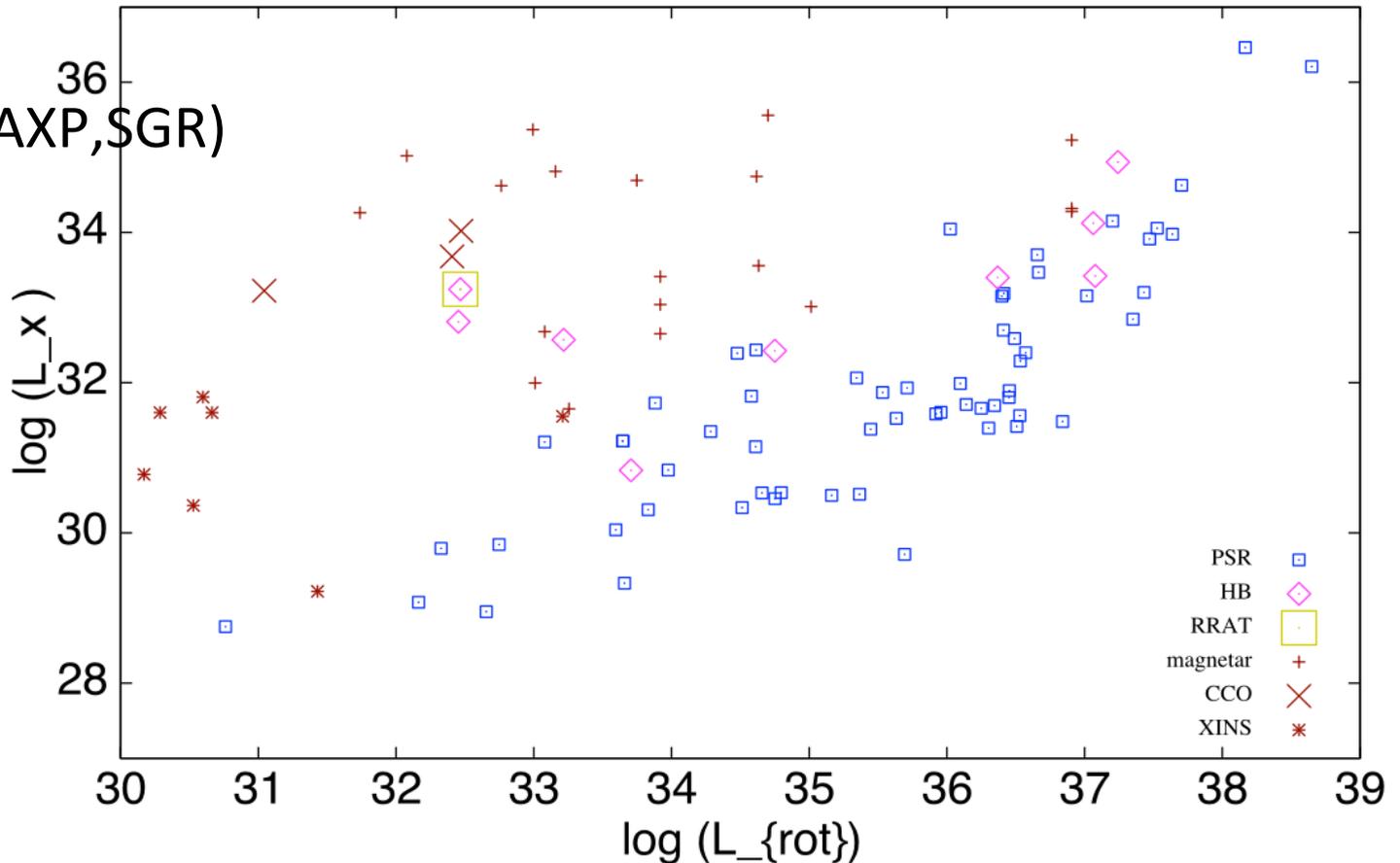
Kargaltsev et al. 2012, *apjs*, 201, 37

C1	references
1.39	Seward and Wang 1988
1	Becker & Trumper 1997
1.5	Saito 1998
1.34	Possenti et al. 2002
0.92	Li et al 2008
0.997	(0.1-2 keV)Becker 2009
1.336	(2-10 keV)Becker 2009

# X-ray luminous NS populations!

Lx-Lrot plot

- PSR
  - + magnetar (AXP, SGR)
  - × CCO
  - \* XINS
- Origin:  
magnetic field  
dissipation



some population may be mixed into the PSR i.e. magnetic dissipation in RPP → contaminating a simple Lx-Lrot relation → scatter

# Questions

- inherent  $L_x$ - $L_{\text{rot}}$  relation exist?
- origins of large scatter (unknown physics?)
- for large efficiency  $L_x/L_{\text{rot}}$ , why?
- for small efficiency  $L_x/L_{\text{rot}}$ , why?
- High-B radio pulsars are different?

# Sample Preparation

“ordinary radio pulsars”

- Radio pulsars in Parkes ATNF catalog ( $P, \dot{P}, d$  known)
- remove magnetars
- remove MSPs ( $B_d < 10^{10}$  G)
- remove binary

radio pulsar sample

remainder

pick up

High B pulsar  $>10^{13}$  G  
**Sample HB**

$\log F_{rot} > -9$	Sample S
$-9 > \log F_{rot} > -10$	Sample A
$-10 > \log F_{rot} > -11$	Sample B
$-11 > \log F_{rot} > -12$	Sample C
$-12 > \log F_{rot}$	Sample F

S+A+B used

where  $F_{rot} = L_{rot} / 4\pi d^2$

# $L_x$ (0.5-10 keV) vs $L_{rot}$

57(d)+42(ul)=99 samples

Table 1. Summary of the Numbers of our Samples.

Sample Name	Range	total	detected	upper limit	not observed
S	$F_{rot} > 10^{-9}$	29	27	2	0
A	$10^{-9} \geq F_{rot} > 10^{-10}$	43	20	15	8
B	$10^{-10} \geq F_{rot} > 10^{-11}$	88	10	25	53
SAB	$F_{rot} > 10^{-11}$	160	57	42	61
HB	$B_d > 10^{13}$	56	9	6	41

$\log(L_x)$

36

34

32

30

28

31

32

33

34

35

36

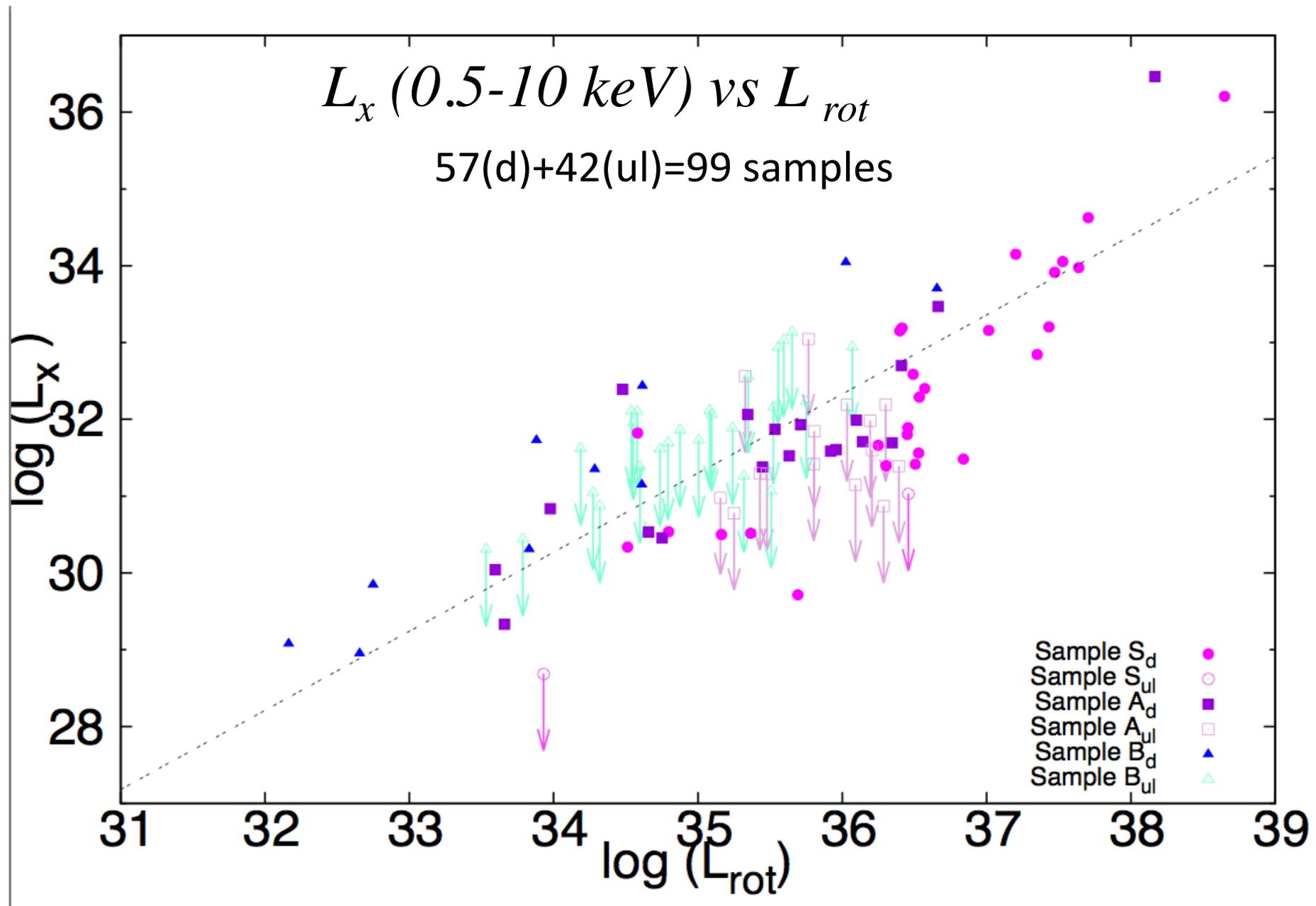
37

38

39

$\log(L_{rot})$

- Sample S<sub>d</sub> ●
- Sample S<sub>ul</sub> ○
- Sample A<sub>d</sub> ■
- Sample A<sub>ul</sub> □
- Sample B<sub>d</sub> ▲
- Sample B<sub>ul</sub> △

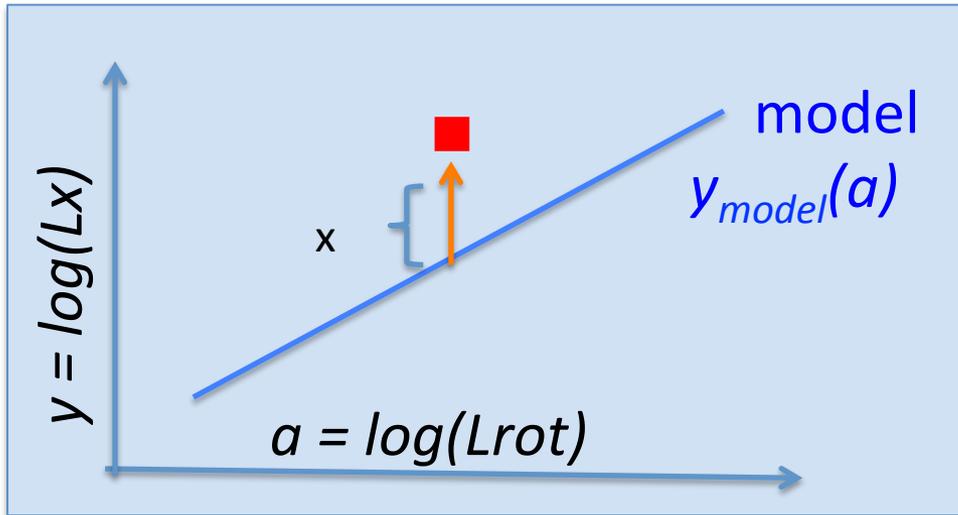


# Method of Statistical Analysis

assume a model relation

$$y_{model}(a) = c_1 (a-37) + c_2$$

$$y = \log L_x, a = \log L_{rot}$$



random variable:  
residual

$$x = y - y_{model}(a)$$

p.d.f.  $f(x)$  is calculated by the simulator which have some parameters to be determined.

→ obtain the best-fit model  $(c_1, c_2)$  + the p.d.f. parameters (non-parametric test). KS test &  $\chi^2$  test

# How our simulator works

$$y_{model}(a) = c_1 (a-37) + c_2$$

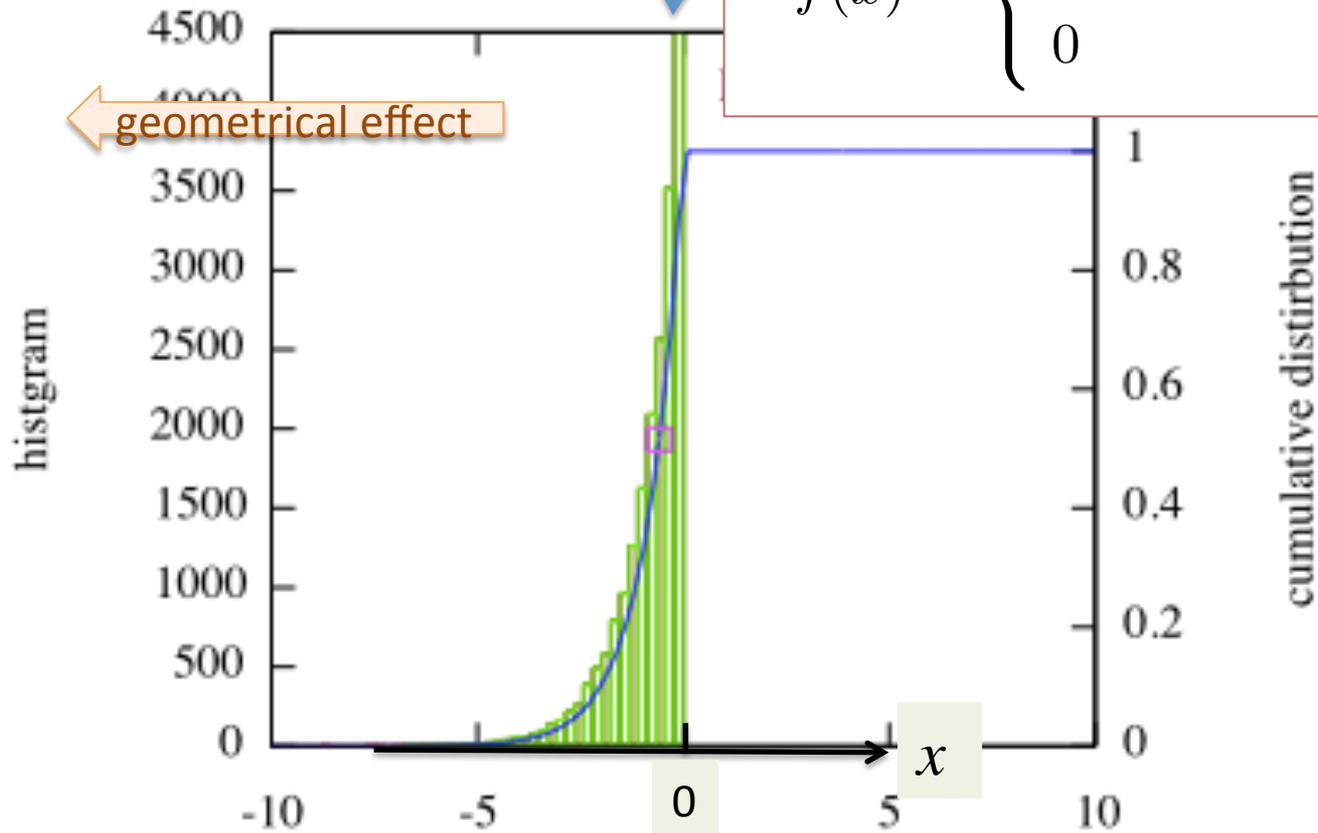
parameters of the simulator

parameter	base line	meaning
n	3	anisotropy of radiation
Pr_maggy	0	Probability of occurrence the crustal magnetic field decay. if exists, $L_{x,mag}=10^{33}$ erg/s
$\sigma_{obs}$	0.7	scatter by distance, nH, other observational uncertainty, provided log-normal distribution
$\log F_{x,limit}$	-14	observation limit (in erg/cm <sup>2</sup> sec)

# How our simulator works (cont.)

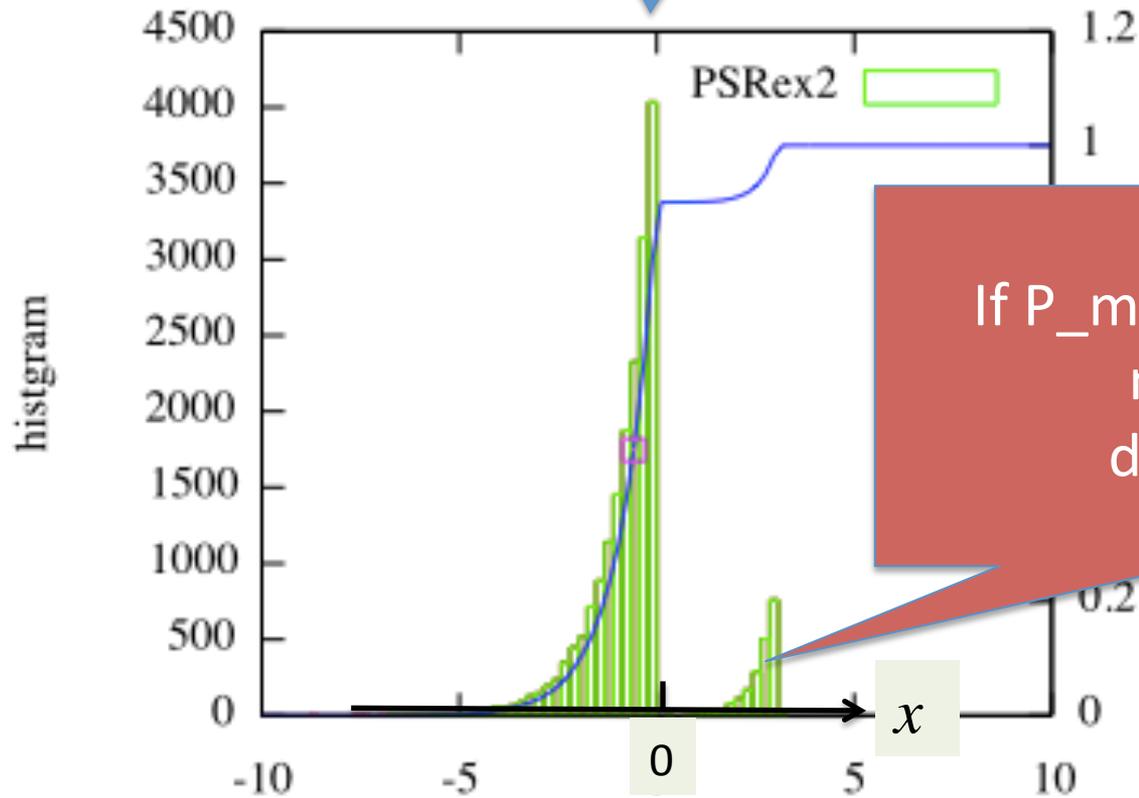
model luminosity

$$f(x) = \begin{cases} (1/n) \exp(x/n) & \text{if } x \leq 0 \\ 0 & \text{if } x > 0. \end{cases}$$



# How our simulator works (cont.)

model luminosity



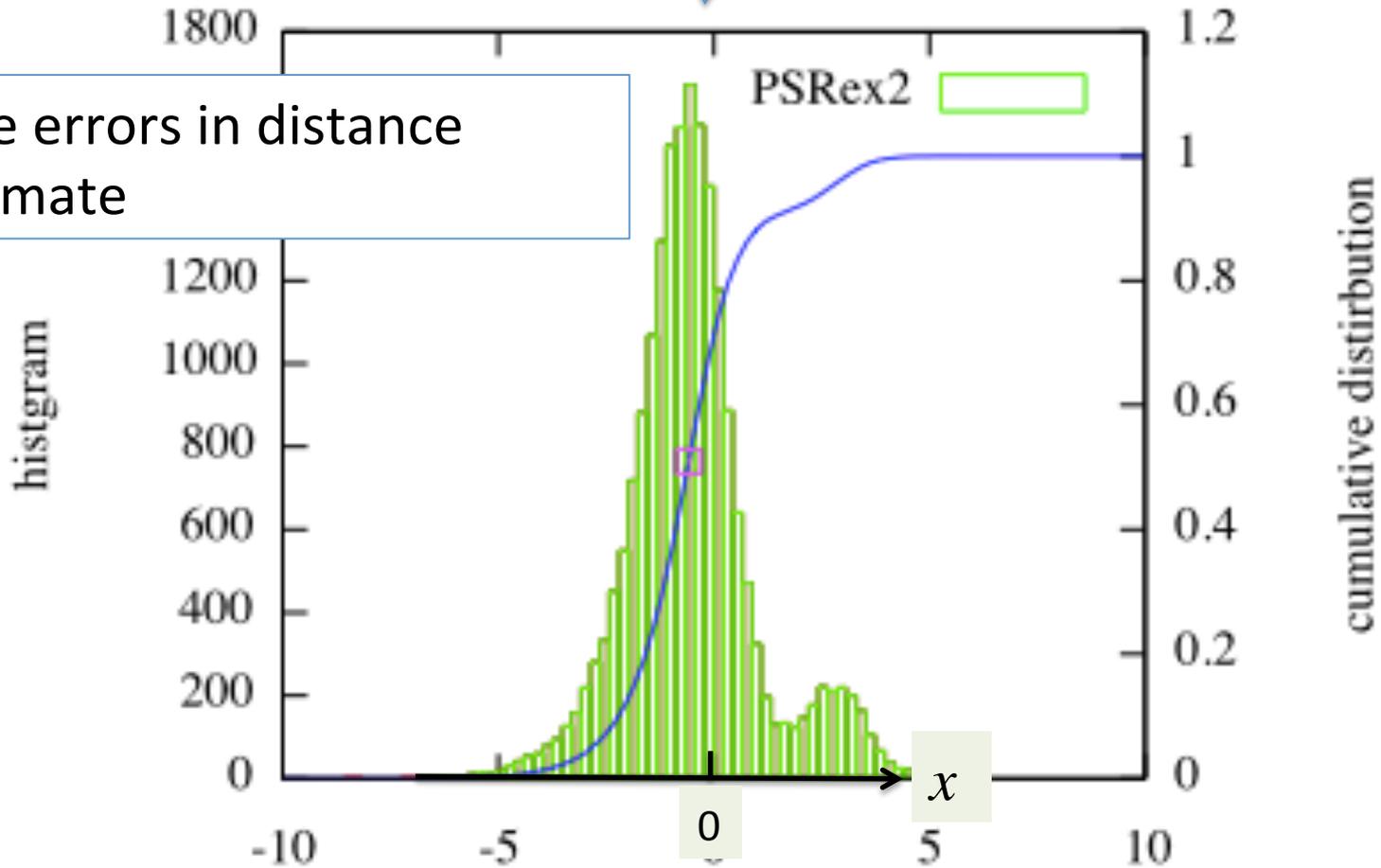
If  $P_{\text{maggy}}$  is no zero  
magnetic  
dissipation

# How our simulator works (cont.)

model luminosity

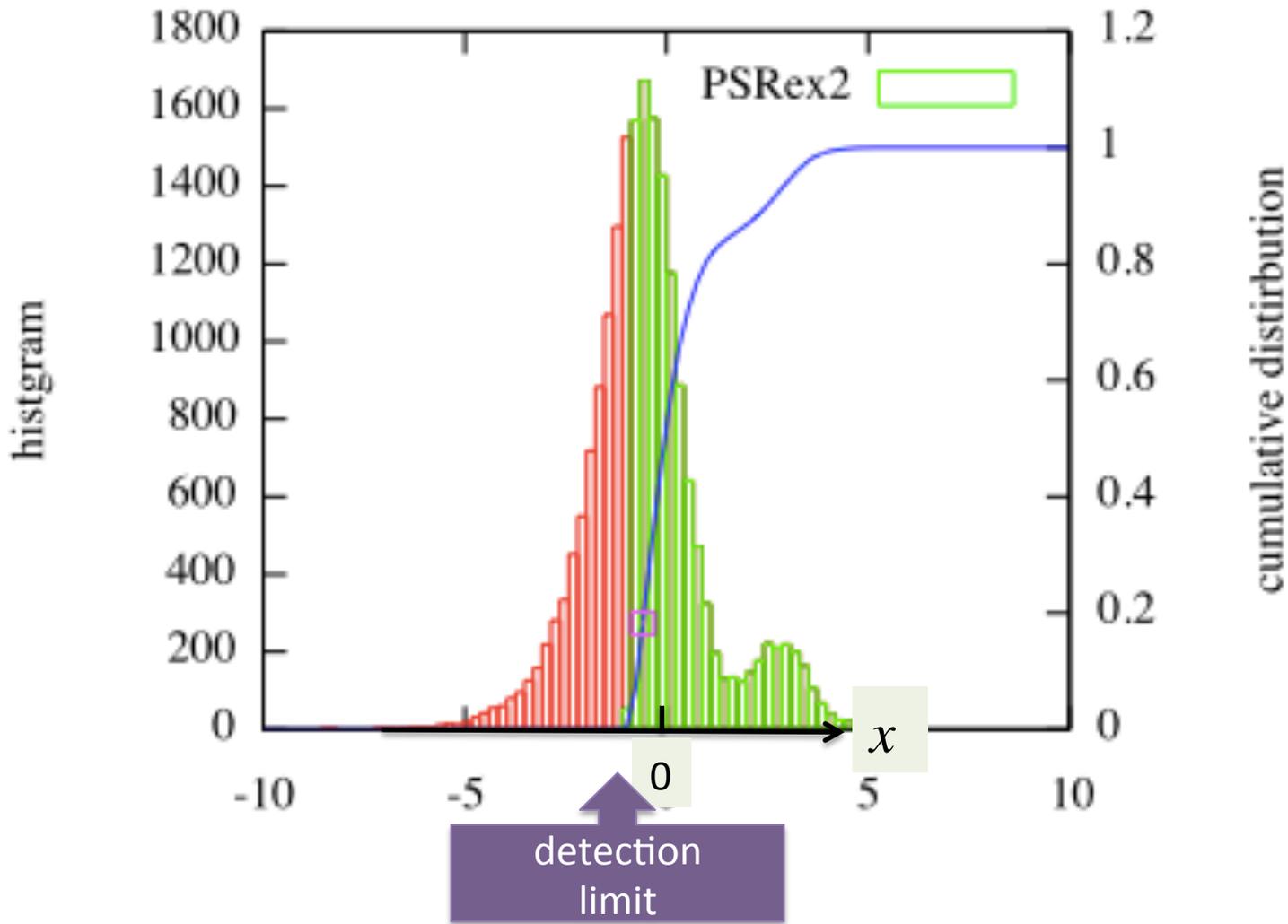


take errors in distance estimate



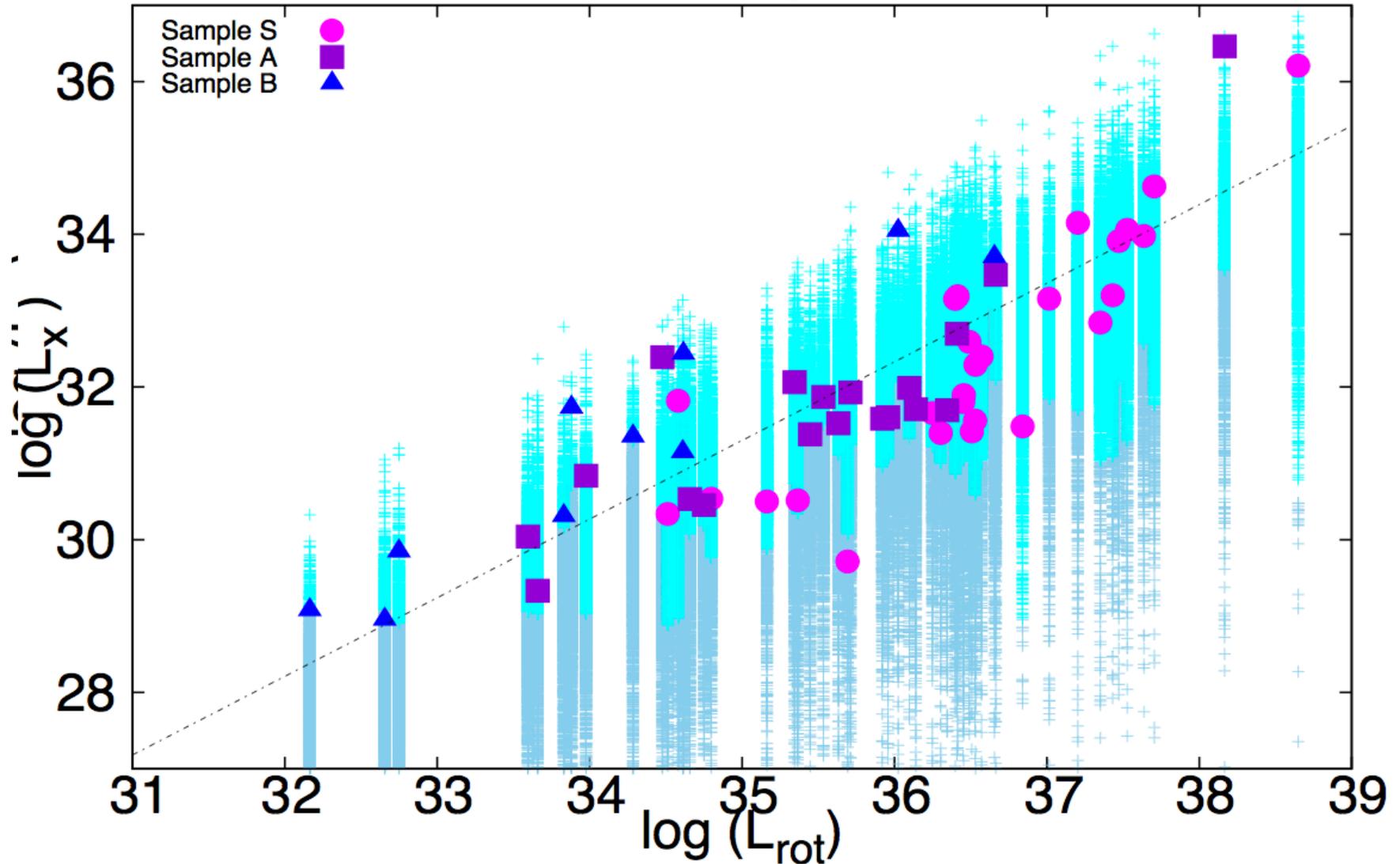
# How our simulator works (cont.)

model luminosity



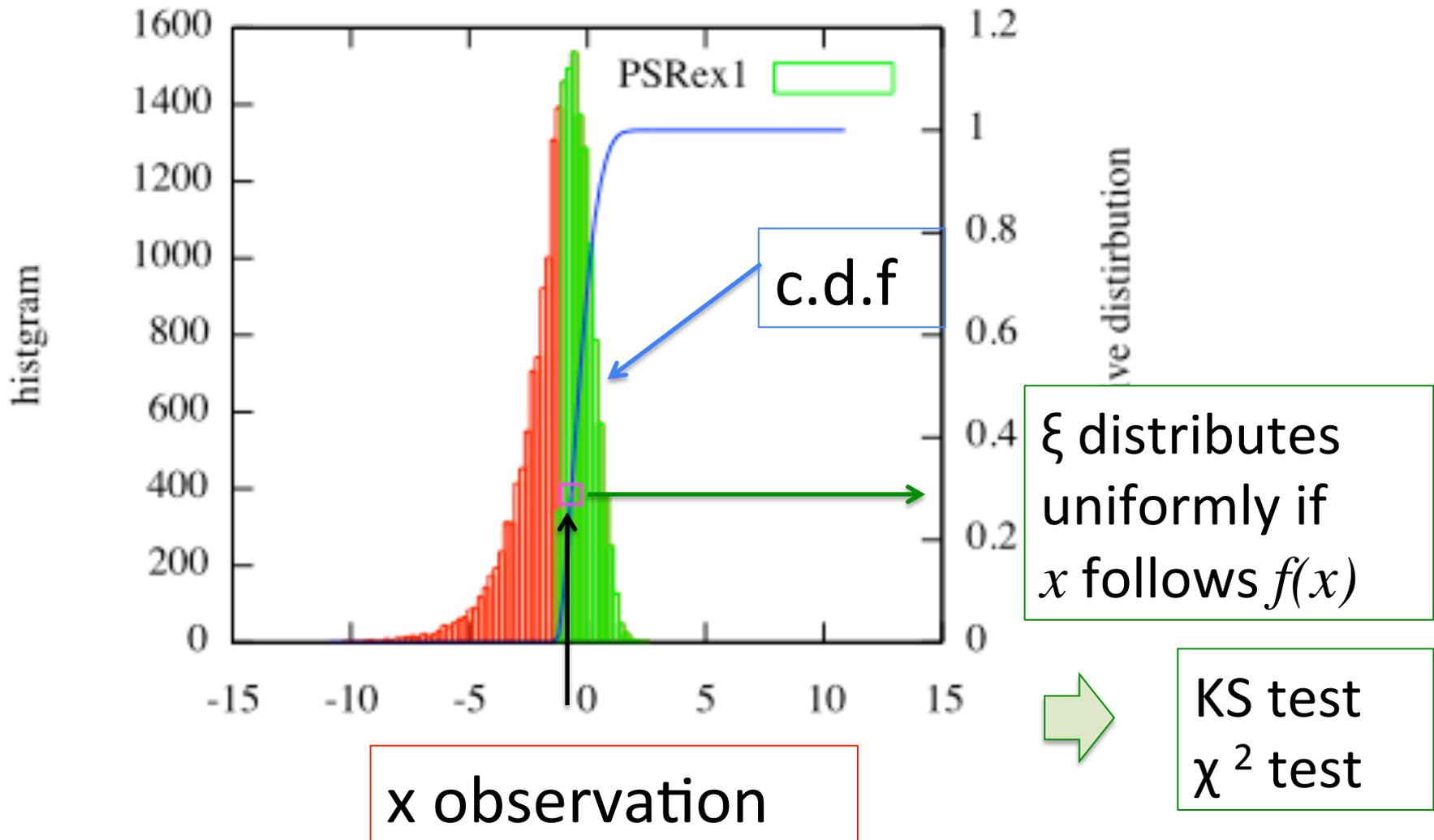
# How our simulator works (cont.)

## Lx-Lrot plot



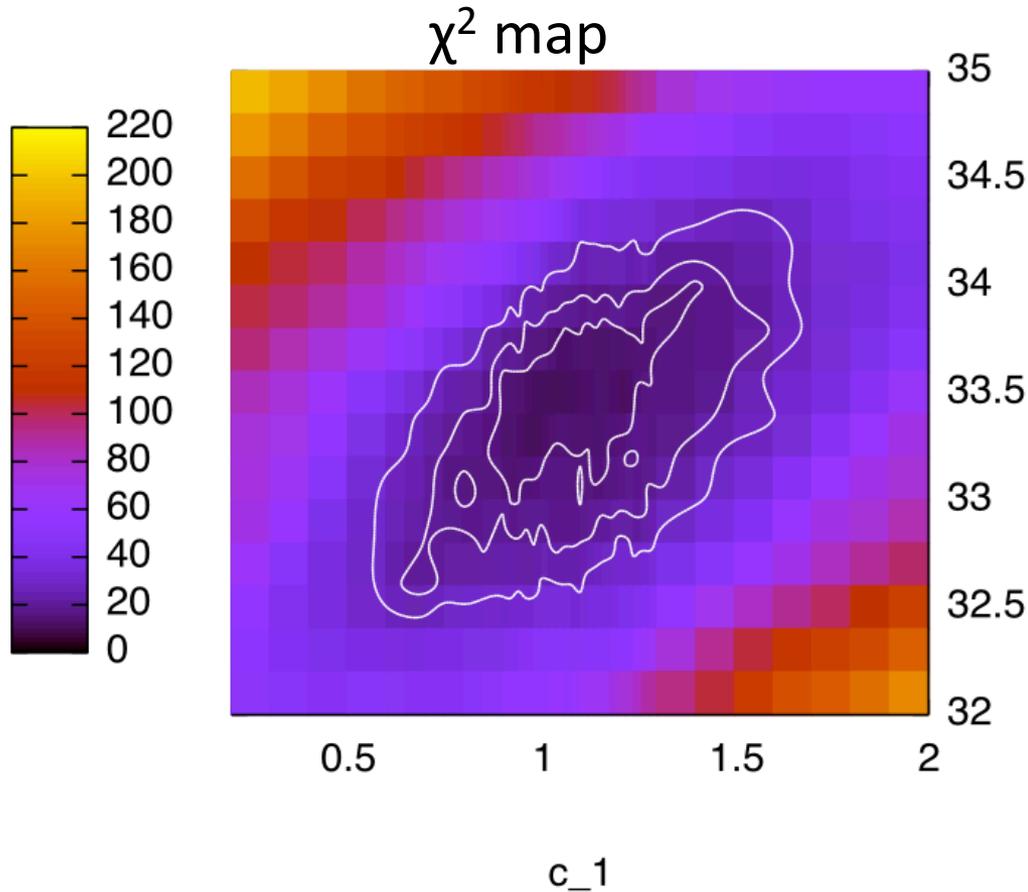
# Statistical Analysis

We have p.d.f.  $f(x)$  and its c.d.f. for each pulsar.



Result

# Q1 inherent $L_x$ - $L_{rot}$ relation exist?



$$L_x = 10^{-4.75} L_{rot}^{1.03}$$

$$y_{model}(a) = c_1 (a-37) + c_2$$

$c_2$

$$C_1 = 1.03 \pm 0.27$$

$$C_2 = 33.36 \pm 0.43$$

$f(x)$  fits very well

$\chi^2 / \text{dof} = 9.0/13$

KS  $D=0.104$  (56.6%)

We have simply

$$\log \eta_{\text{psr}} = \log(L_x / L_{rot}) \approx -3.7$$

## Q2. large scatter (unknown physics?)

non-parametric test : very good!

the best fit p.d.f.  $f_i(x)$  :

- $n=2,3$ , we have exponential tail in p.d.f.

$$f(x) = \begin{cases} (1/n) \exp(x/n) & \text{if } x \leq 0 \\ 0 & \text{if } x > 0. \end{cases}$$

▪ There are dim pulsars ( $L_x$ : almost uniform dist.)

geometrical model  
(anisotropy + viewing angle)

not necessarily so, ,,,,

- The best model gives  $\sigma=0.7$ . It is just the expected value.
- We do not need extra heating  $P_{\text{maggy}} = 0$
- $\log F_{x\text{lim}} = -14.0 (\pm 3\%)$

### Q3. for large efficiency $L_x/L_{rot}$ , why?

The list of high  $\xi$  ( $>0.9$ ) pulsars

**Table 5.** Large efficiency pulsars  $\xi > 0.9$ .

pulsar name	$\xi$	$\log L_{rot}$	$\log F_{rot}$	Fermi LAT	Hard X	Type	Spectral Properties	PWN $\eta_{pwn}$
							BB PL	
● B0540-69	0.998	38.17	-9.37	Yes	Yes	VE	- PL(2.05)	-0.89
● J0855-4644	0.994	36.02	-10.04	no	-	L,nth	- PL(1.24)	-2.01
● B1055-52	0.992	34.48	-9.97	Yes	-	L,th	2BB(68 eV) -	-5.28
● B0531+21	0.986	38.65	-6.03	Yes	Yes	VE	- PL(1.63)	-1.64
● B0656+14	0.969	34.58	-8.39	Yes	-	H,th	2BB(56 eV) -	-5.68
● J1301-6310	0.956	33.88	-10.82	no	-	L,?	? ?	-
● B1822-14	0.931	34.61	-10.93	no	-	L,th?	BB(200 eV) -	-
● J1617-5055	0.922	37.20	-8.49	No	Yes	H,nth	- <u>PL(1.15)</u>	-3.41
● J1400-6325	0.918	37.70	-8.06	No	Yes	H,nth	- <u>PL(1.22)</u>	-2.76
● J1741-2054	0.901	33.98	-9.05	Yes	-	H,th	BB(60 eV) -	-4.58

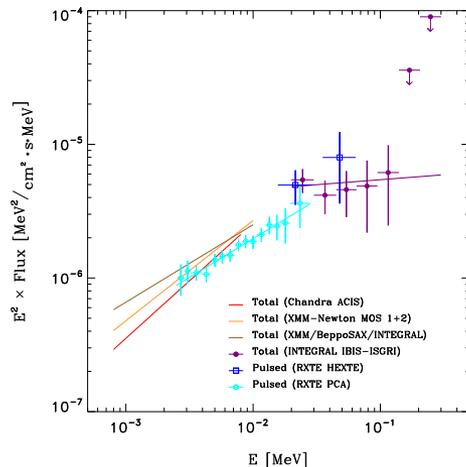
# Q3. for large efficiency $L_x/L_{rot}$ , why? (cont.)

high  $\xi$  pulsars are

1. magnetospheric emission dominated in hard X and soft gamma bands

soft gamma-ray pulsars detected in 20 keV – 30 MeV

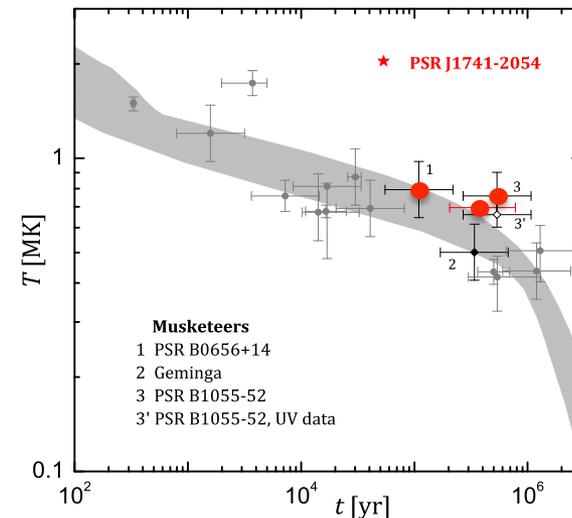
Kuiper, L., & Hermsen, W. 2015, *mnras*, 449, 3827



**Figure 9.** PSR J1617–5055; high-energy (0.8–300 keV) total and pulsed spectra as derived from measurements by *Chandra* ACIS (total pulsar 0.8–8 keV; solid red; Kargaltsev et al. 2009), *XMM-Newton* MOS (total, including compact PWN, 0.8–10 keV; solid orange; Becker & Aschenbach 2002), joint fit *XMM-Newton/BeppoSAX/INTEGRAL* (total, including compact PWN, 0.8–10 keV; solid brown; Landi et al. 2007), *RXTE* PCA (pulsed 2.5–30 keV;

2. thermally bright pulsars with a high temperature as compared with standard cooling curve

KARPOVA ET AL.



**Figure 5.** Observations of isolated cooling NSs compared with standard cooling theory predictions (filled region). The PSR J1741–2054 data point is shown by the star symbol. We artificially adopt a factor of two error on its age. The Three Musketeers are indicated with the filled diamonds. The temperature and age error bars for these stars are shown in accordance with Kaminker et al. (2006)

Karpova, A., Danilenko, A., Shibanov, Y., Shternin, P., & Zyuzin, D. 2014, *apj*, 789, 97

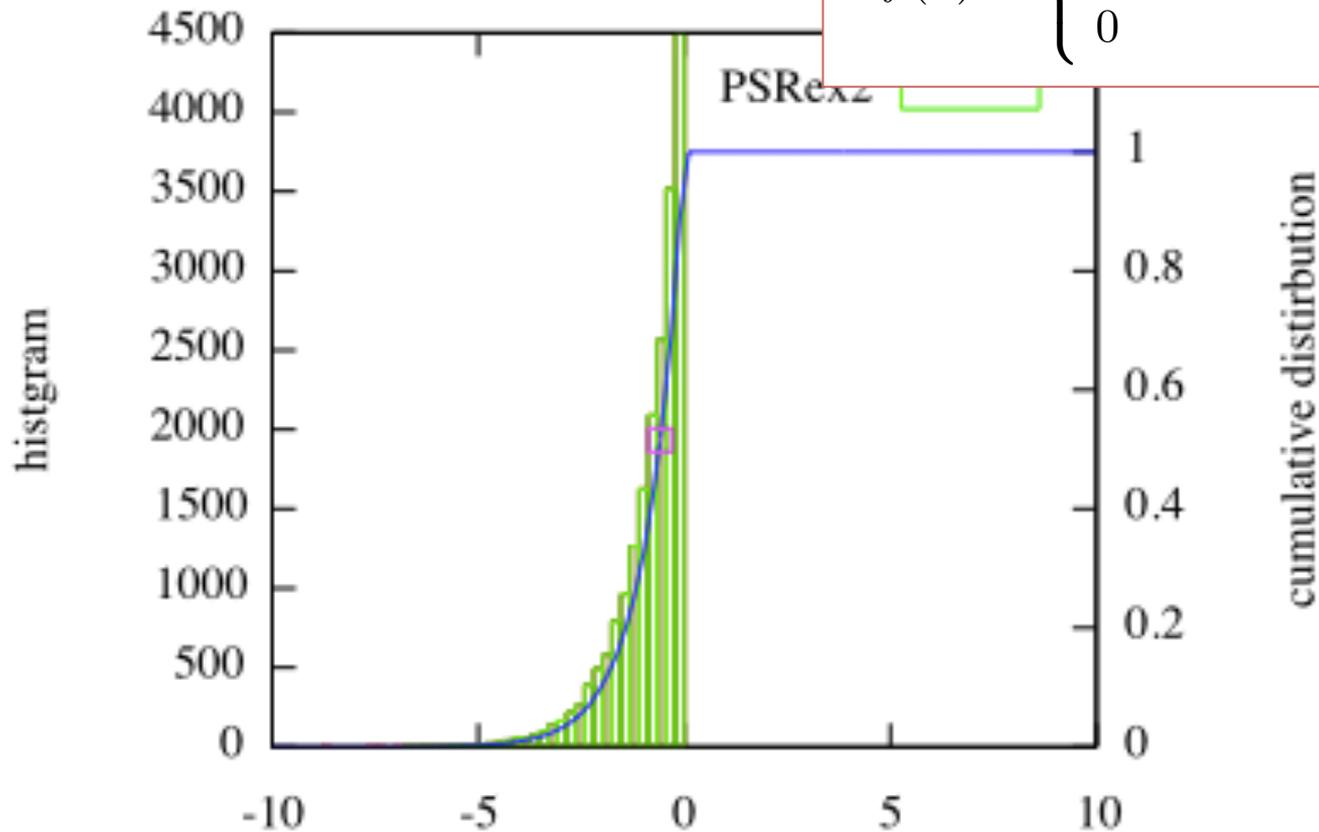
Q4 for small efficiency  $L_x / L_{rot}$ , why?

appearance of dim pulsars follows exponential form.

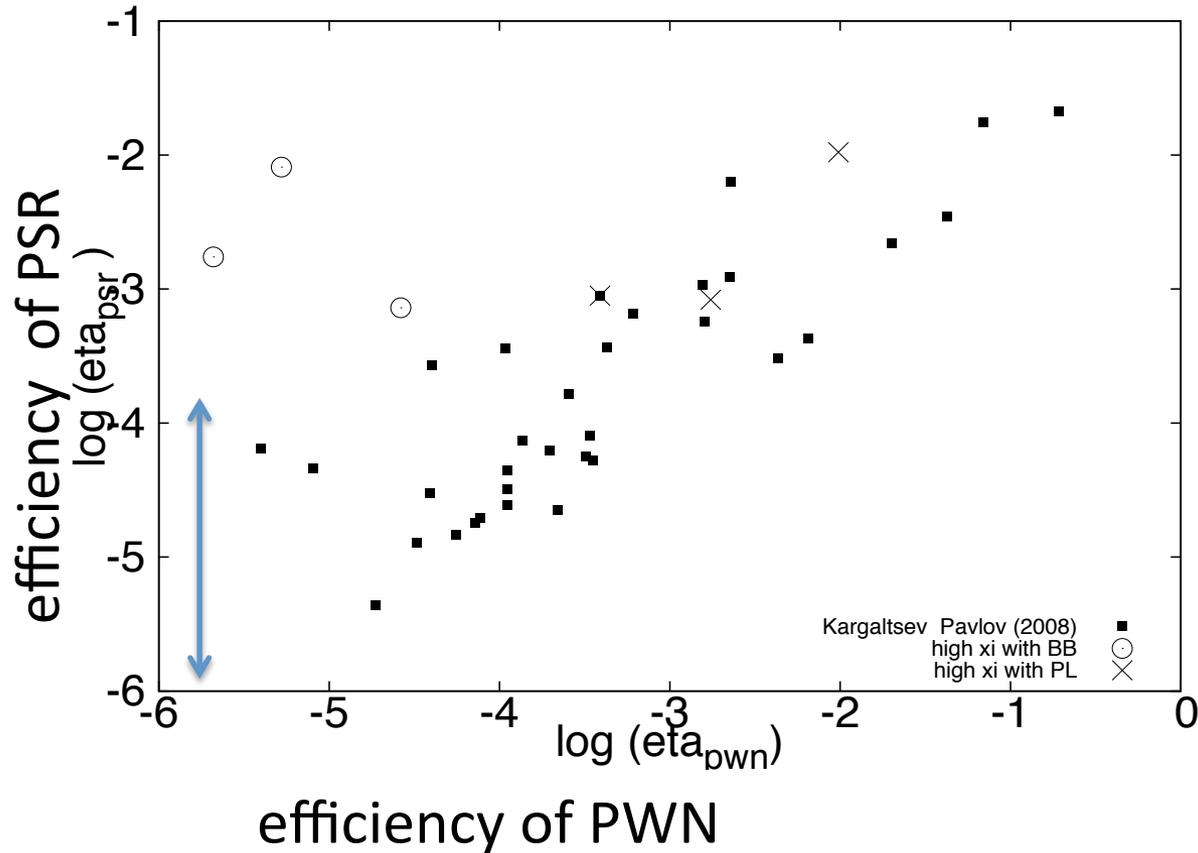
▪ dim pulsars (almost uniform)

geometr  
(anisotr

$$f(x) = \begin{cases} (1/n) \exp(x/n) & \text{if } x \leq 0 \\ 0 & \text{if } x > 0. \end{cases}$$



Q4 for small efficiency  $L_x / L_{rot}$ , why? (cont.)



(data is taken from Kargaltsev & Pavlov 2008)

Luminosity of the magnetospheric X ray correlates with PWN luminosity. Pair creation rate is a possible link parameter.

# Q5 High-B radio pulsars are different?

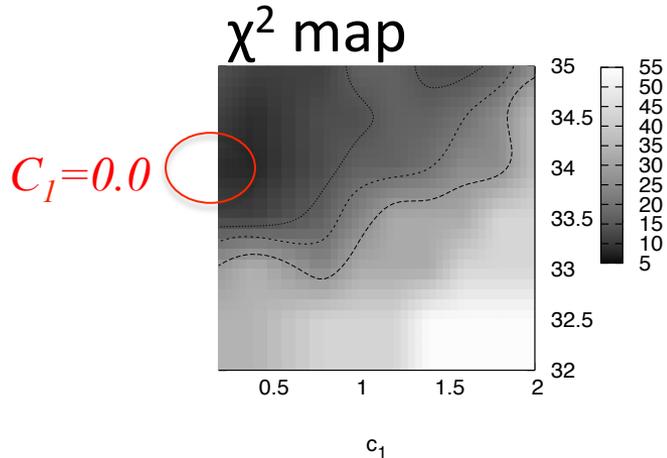


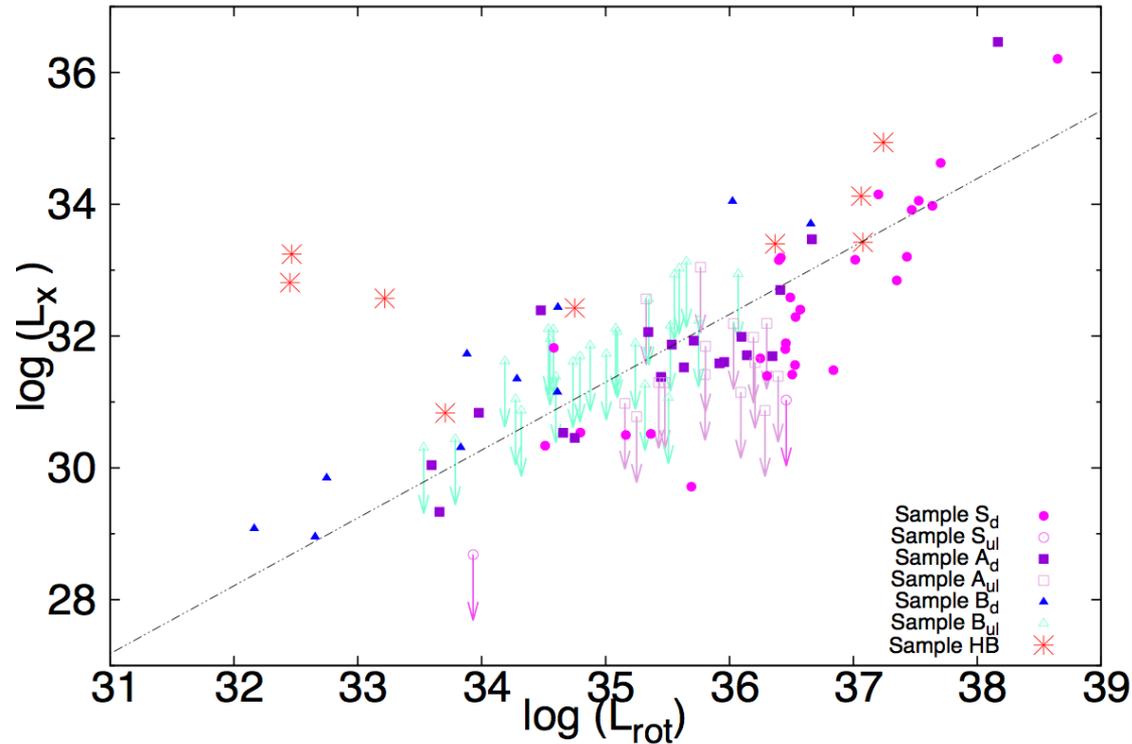
Figure 7. The same as Figure 4 but for Sample HB.

If the best fit model for the ordinary radio pulsars is tested on Sample HB, we have

$$\chi^2 / \text{dof} = 23.9/13$$

KS Pr. 0.09%, i.e.,

C1=0: not correlated to Lrot



High-B radio pulsars are different from ordinary radio pulsar ( $<10^{13}\text{G}$ )

# Conclusion

$L_x - L_{rot}$  scatter plot is so produced :

2. high efficiency pulsars are  
(a) high surf. temp. (B-decay?) or (b) soft-gamma PSR

1. Inherent correlation

$$L_x = 10^{-3.7} L_{rot}$$

4. High-B radio pulsars forms a distinctive population

3. uniform distribution of dim pulsars → unknown physics that governs  $L_x$  and  $L_x(\text{pwn})$

