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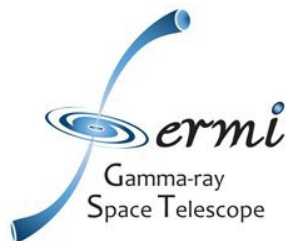
Modeling stochastic variability of Fermi/LAT blazars

Malgosia Sobolewska

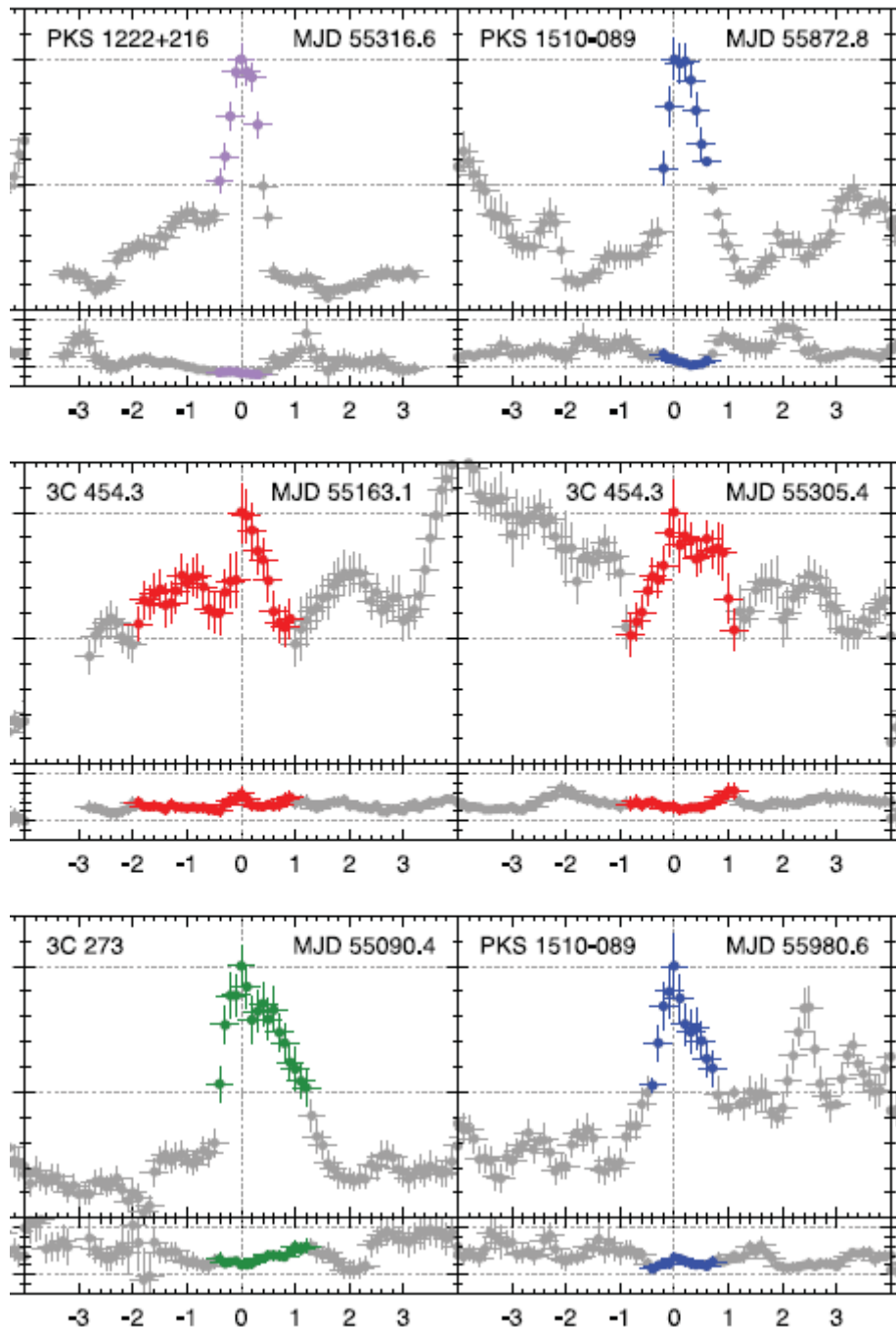
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Introduction



Questions:

1. Are the **flares** a signature of a distinctive variability process?
2. Is the γ -ray blazar variability consistent with a **stochastic process**?

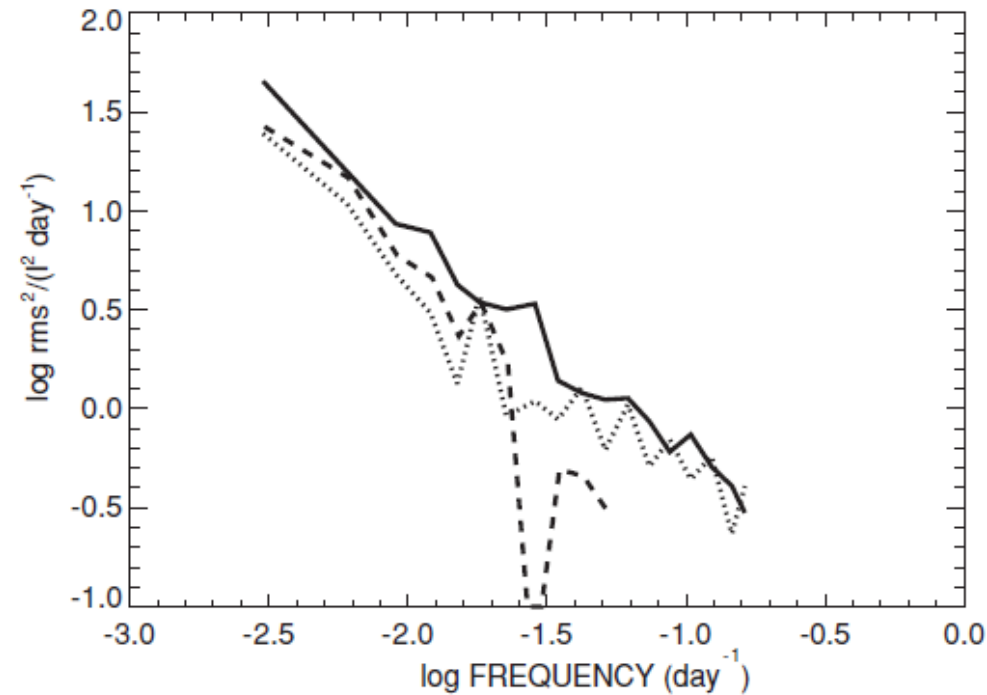
Nalewajko (2013)

Fermi/LAT brightest blazar flares

Flux **doubling/halving timescales**

Blazar γ -ray characteristic timescales of variability

The first 11 months of the Fermi/LAT data

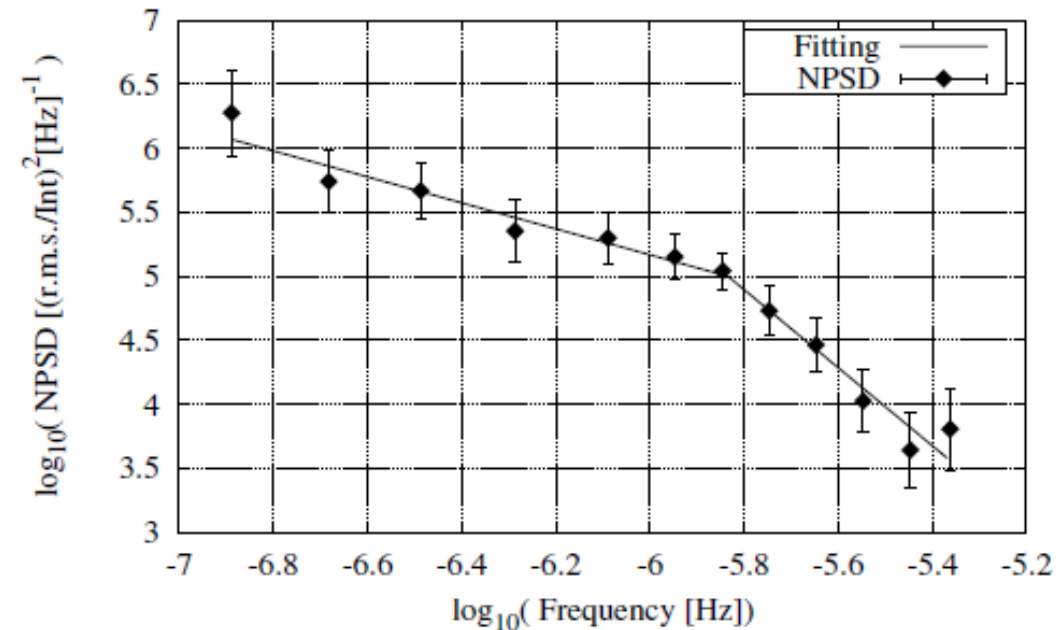


Sample PSDs:

- Solid - 9 bright FSRQs
- Dashed - 13 fainter FSRQs
- Dotted - 6 bright BL Lacs

Adbo+2010

The first 4 years of the Fermi/LAT data



Individual PSDs of 15 blazars.

Characteristic timescale detected only in 3C 454.3

Nakagawa & Mori 2013

Our approach - fitting light curves in the time domain

Key advantages:

Parametrized stochastic process, PSD parameters derived directly from the lightcurves.

No spectral distortions due to irregular/sparse sampling, red noise leak, aliasing because the Fourier transforms are not performed.

Bayesian approach, rigorous statistical inference based on **the likelihood function**, i.e., the probability of the measured lightcurve as a function of the PSD parameters.

$$\textit{posterior dist. of parameters given the data} \propto \textit{Likelihood} \times \textit{prior}$$

Markov Chain Monte Carlo (MCMC) to sample from the posterior probability distribution for the model parameters, e.g. PSD characteristic timescales.

Reliable estimates of the parameter **uncertainties**.

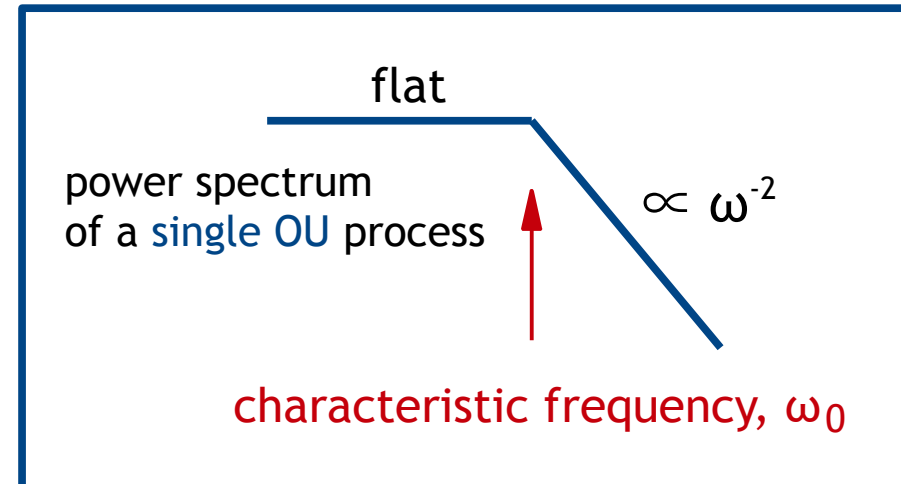
Computationally efficient.

Our approach - simple model

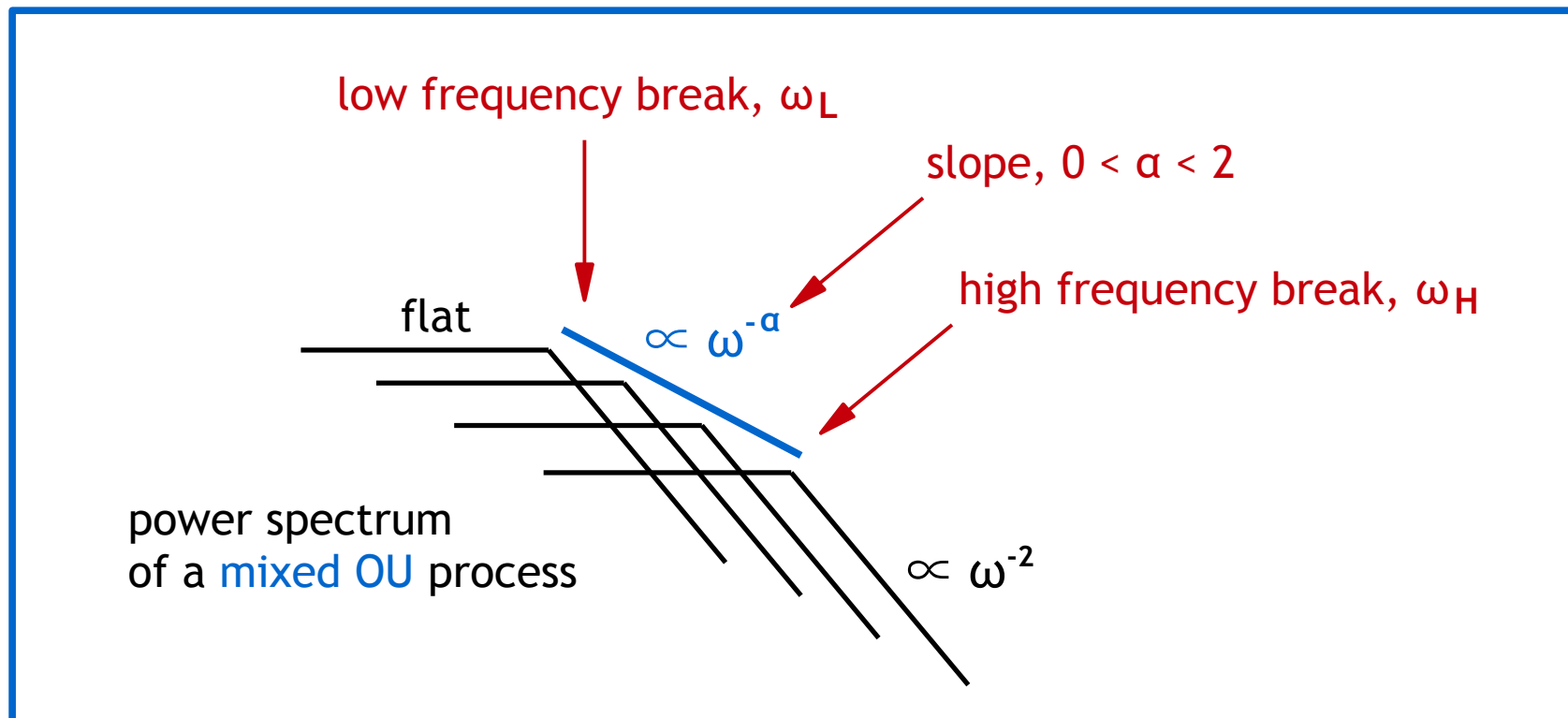
Ornstein-Uhlenbeck, OU

Continuous time 1st order autoregressive, CAR(1)

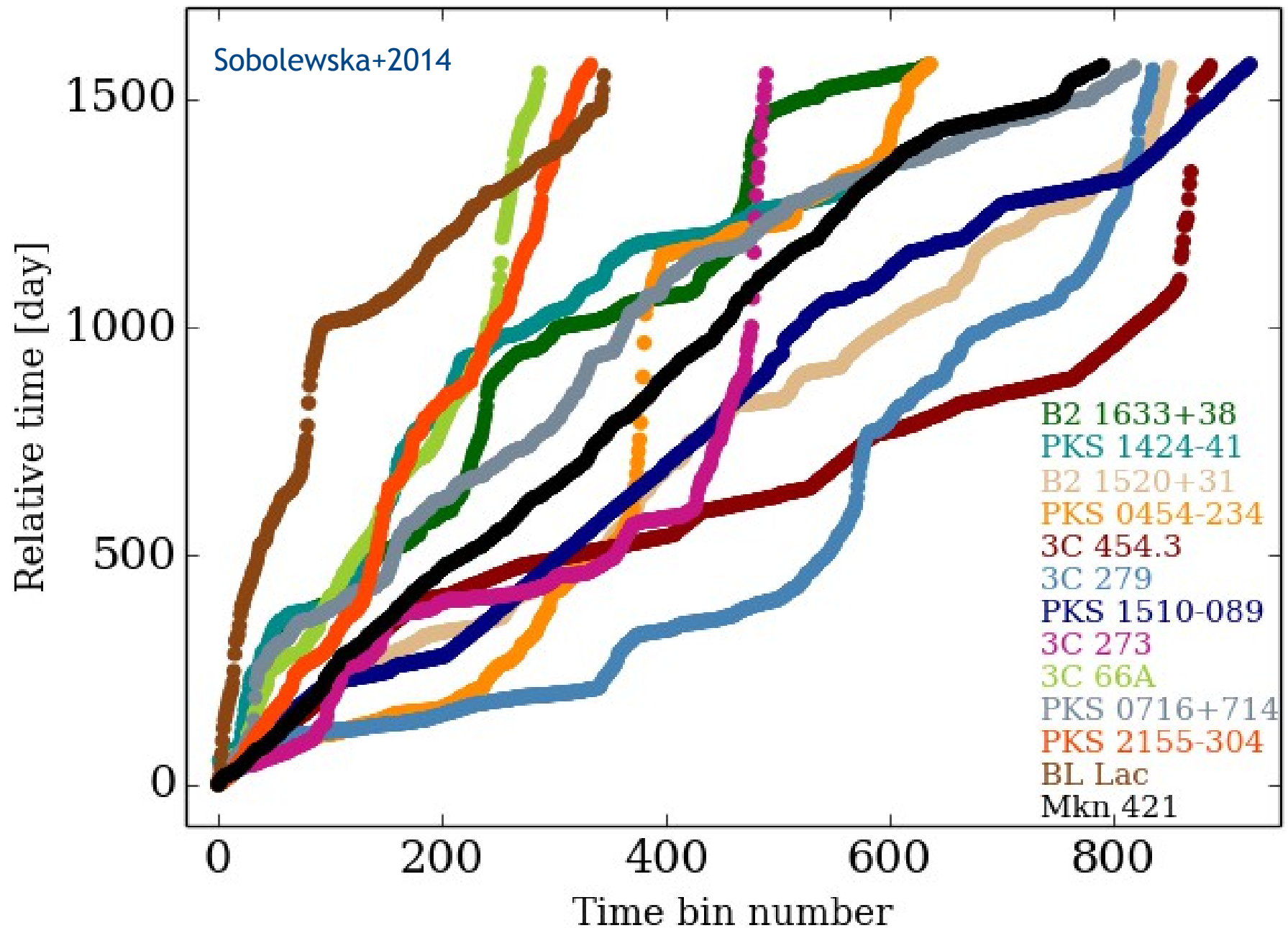
Damped Random Walk, DRW



Kelly et al. 2009, 2011

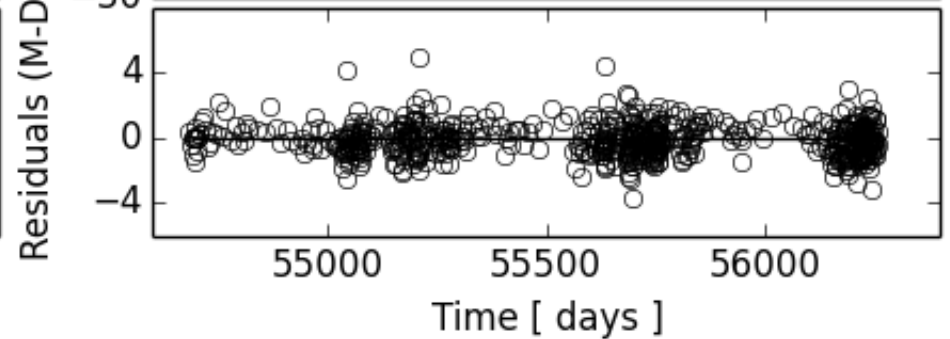
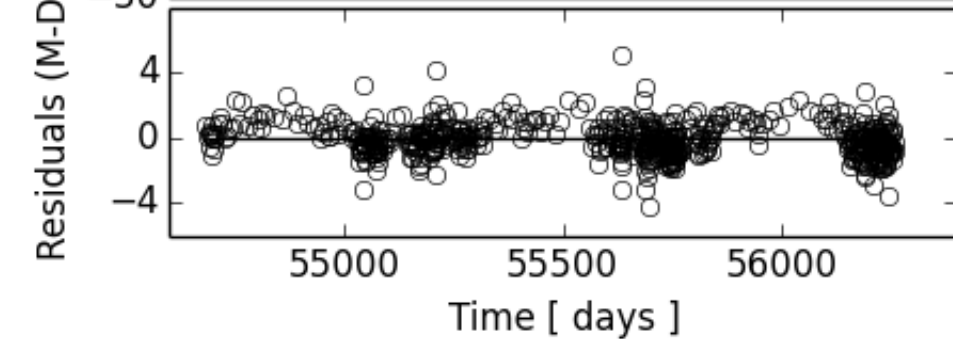
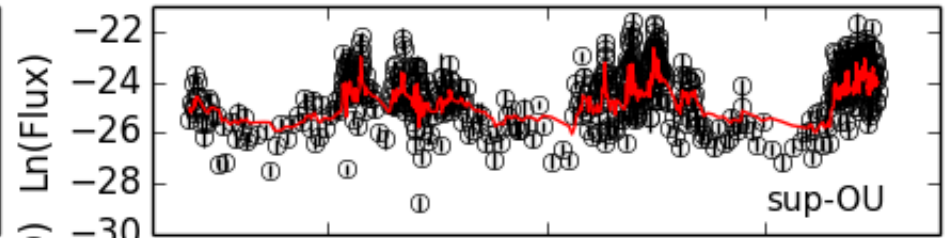
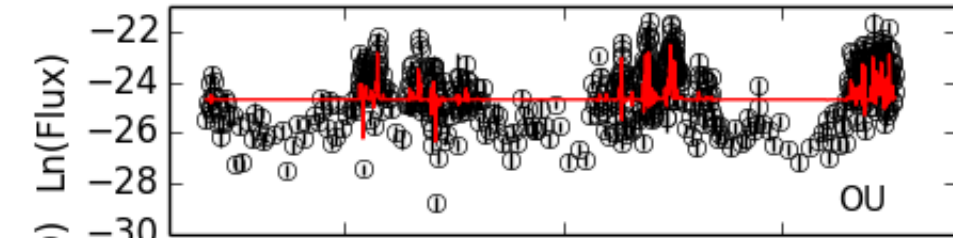
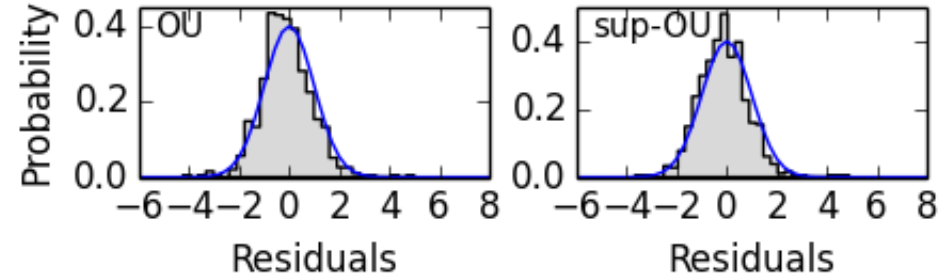
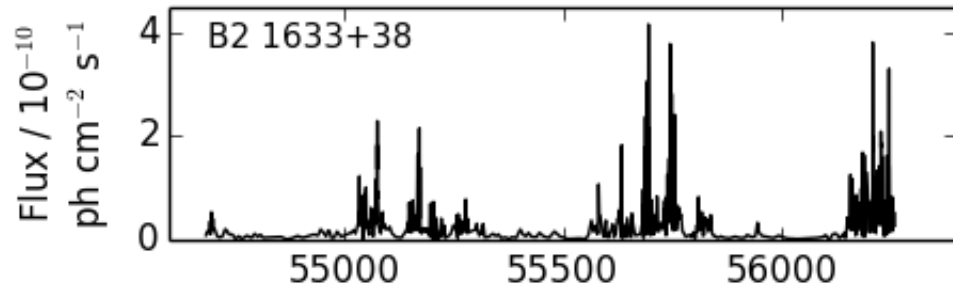


The γ -ray variability of the Fermi/LAT blazars



The γ -ray variability of the Fermi/LAT blazars

Sobolewska+2014



single process

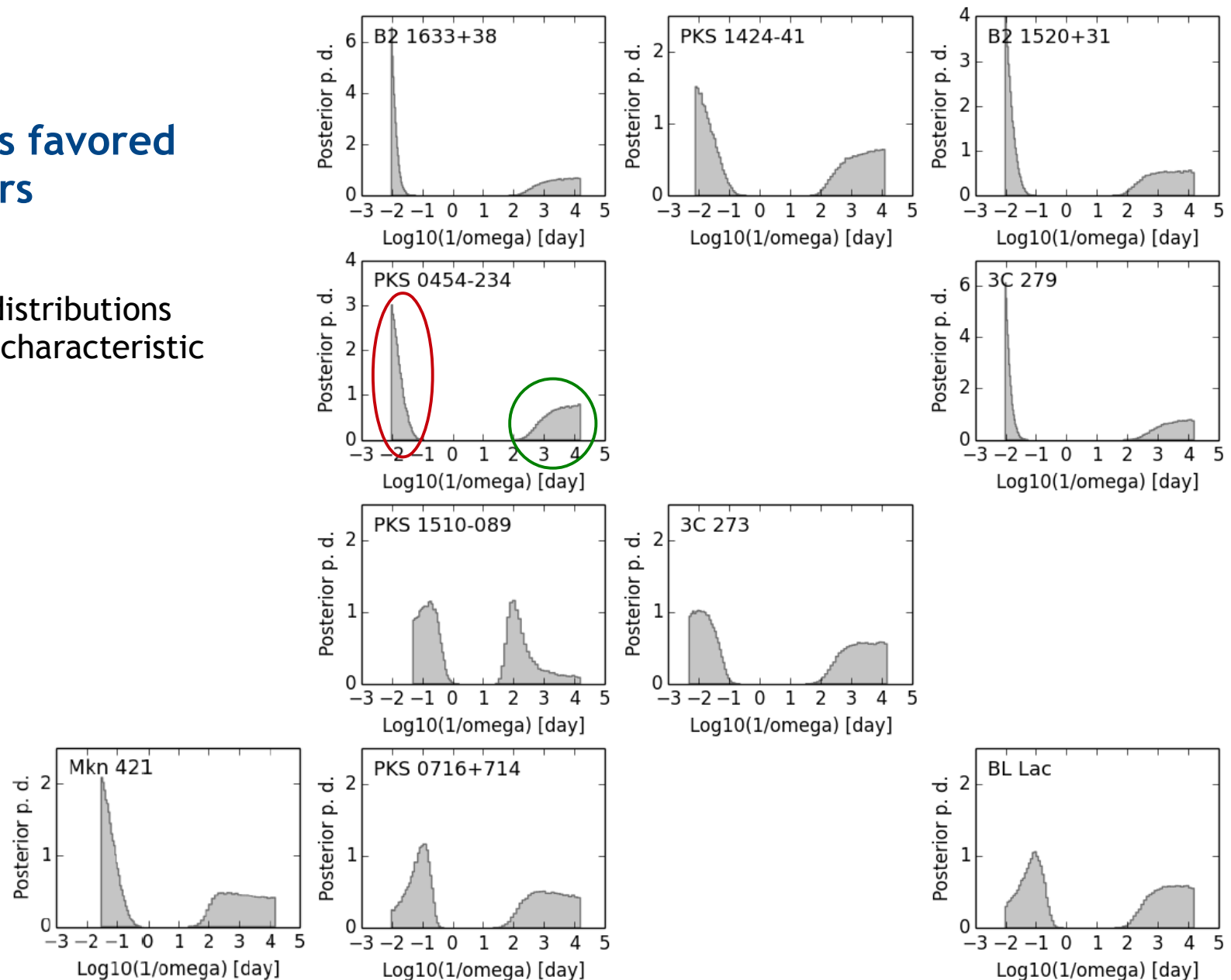
mixed process

The γ -ray variability of the Fermi/LAT blazars

Mixed OU process favored in 10 of 13 blazars

Posterior probability distributions of the **short** and **long** characteristic timescales.

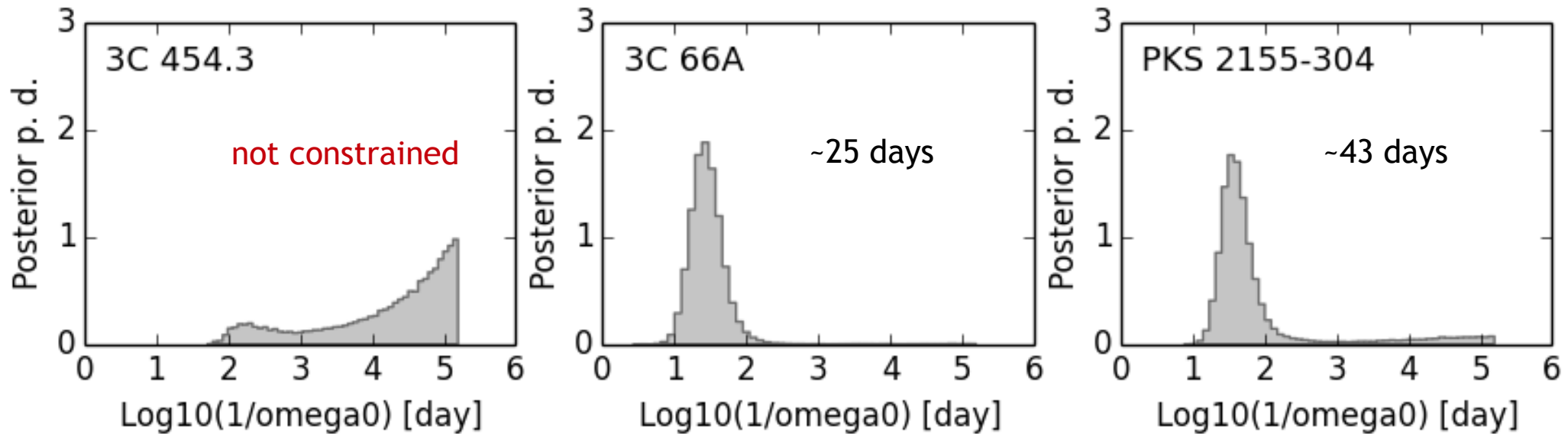
Sobolewska+2014



The γ -ray variability of the Fermi/LAT blazars

Single OU process sufficient in 3 of 13 blazars

Posterior probability distributions of the characteristic timescale



Sobolewska+2014

Our approach - generalized model

CARMA(p, q)

Continuous time autoregressive moving average process (Kelly+2014).

autoregressive coefficients

AR

$$\frac{d^p y(t)}{dt^p} + \alpha_{p-1} \frac{d^{p-1} y(t)}{dt^{p-1}} + \dots + \alpha_0 y(t) =$$
$$\beta_q \frac{d^q \epsilon(t)}{dt^q} + \beta_{q-1} \frac{d^{q-1} \epsilon(t)}{dt^{q-1}} + \dots + \epsilon(t).$$

white noise process

MA

moving average coefficients

The PSD of a CARMA process is a sum of Lorentzian functions.

Centroids, widths and normalizations are the free parameters.

Our approach - generalized model

CARMA(p, q)

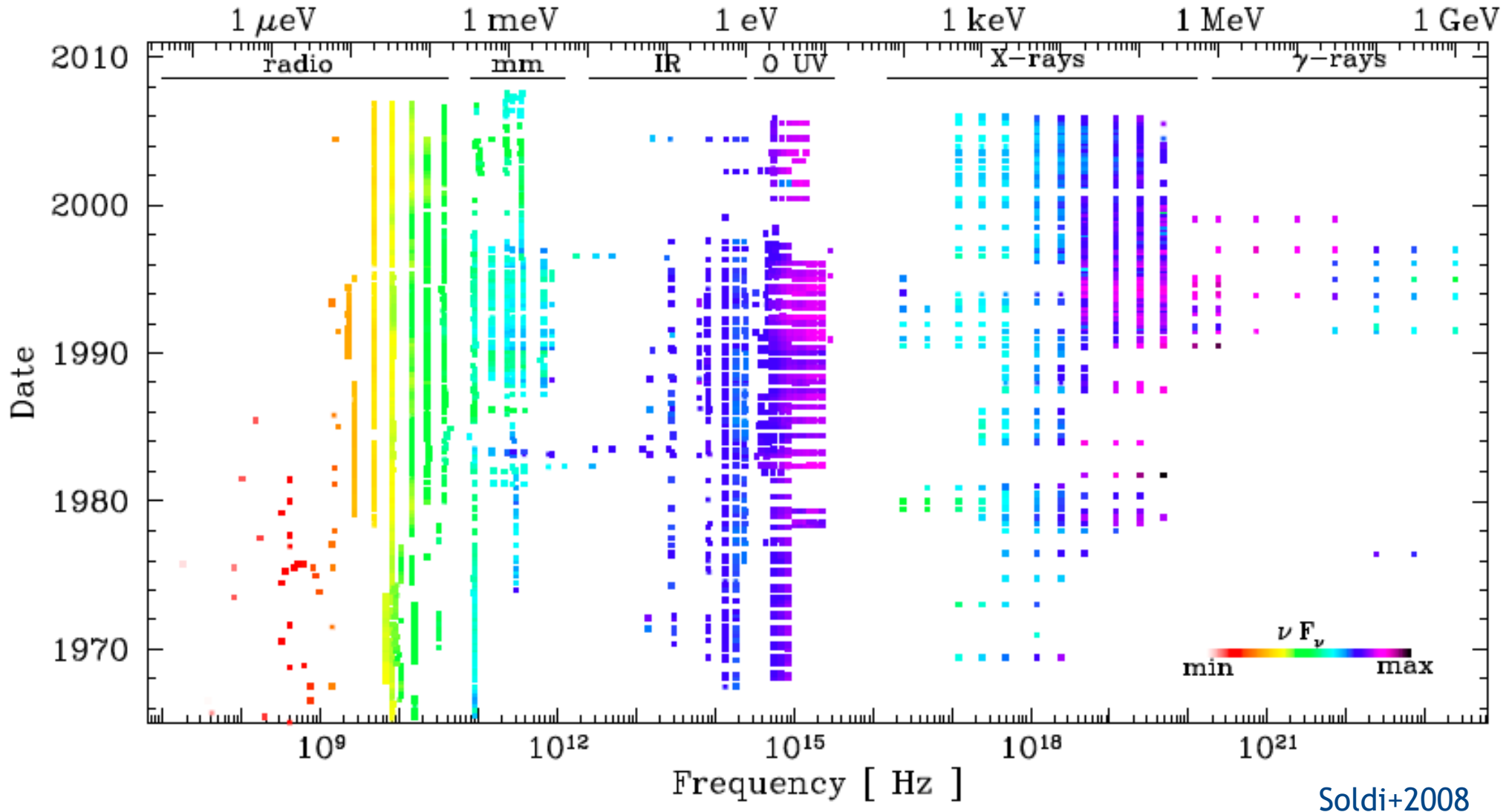
Continuous time autoregressive moving average process (Kelly+2014).

$$\text{CARMA}(p=1, q=0) = \text{CAR}(1)$$

$$\frac{d^p y(t)}{dt^p} + \alpha_{p-1} \frac{d^{p-1} y(t)}{dt^{p-1}} + \dots + \alpha_0 y(t) = \beta_q \frac{d^q \epsilon(t)}{dt^q} + \beta_{q-1} \frac{d^{q-1} \epsilon(t)}{dt^{q-1}} + \dots + \epsilon(t).$$

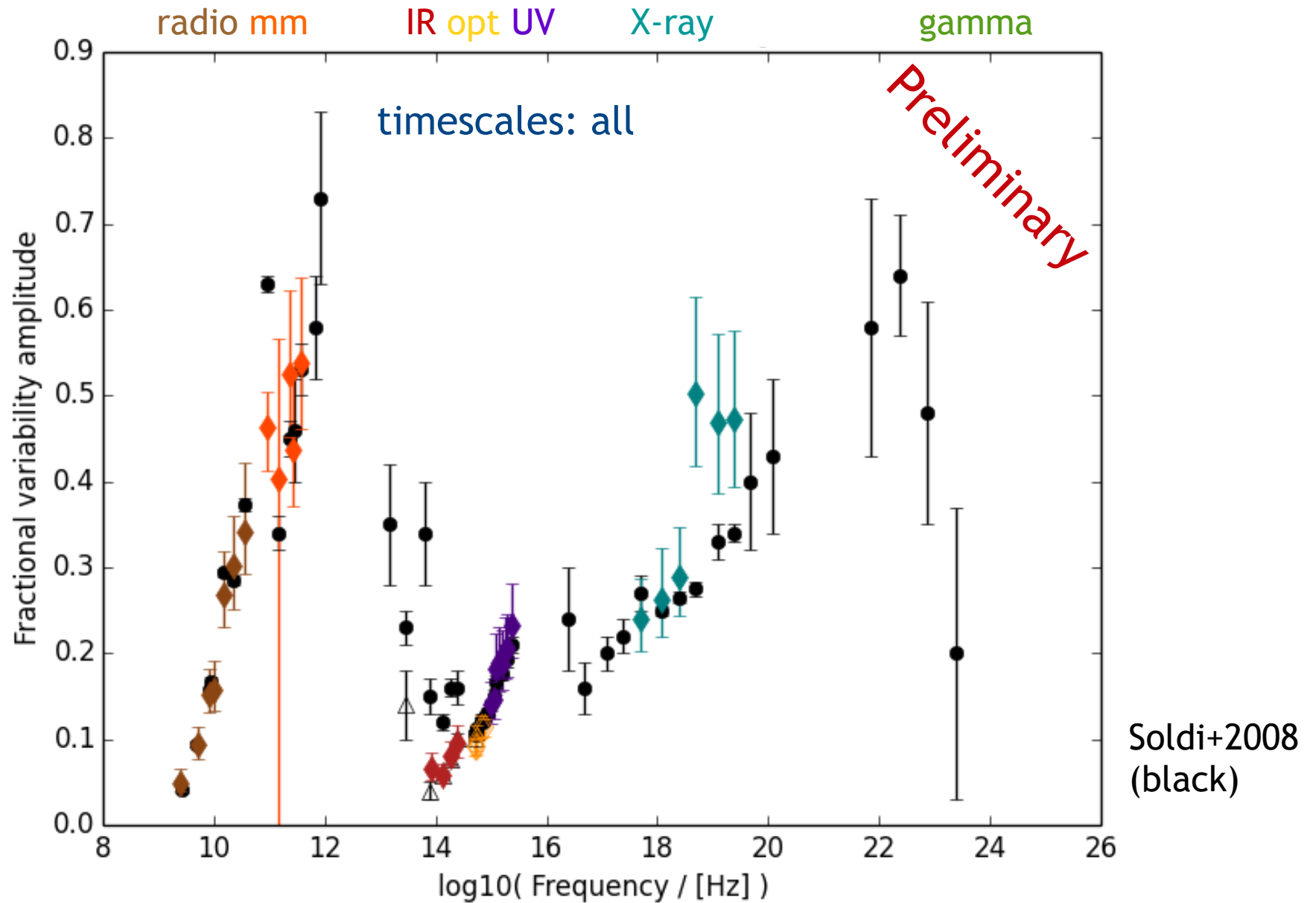
Variability of 3C 273 from radio to γ -rays

We use the CARMA code (Kelly+2014) to infer the PSD of 3C 273 in energy bands with >100 measurements.

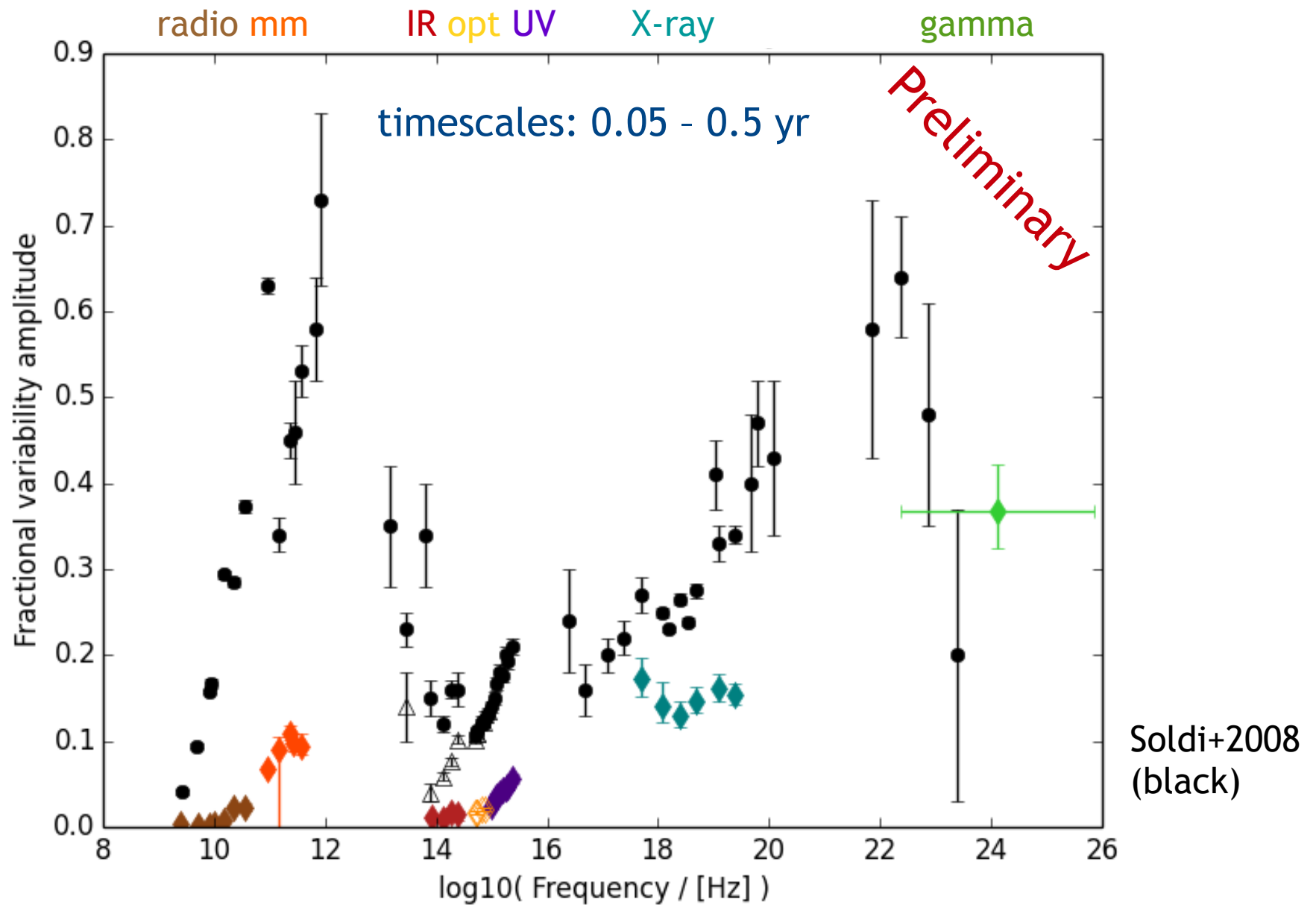


Soldi+2008

Variability of 3C 273 from radio to γ -rays

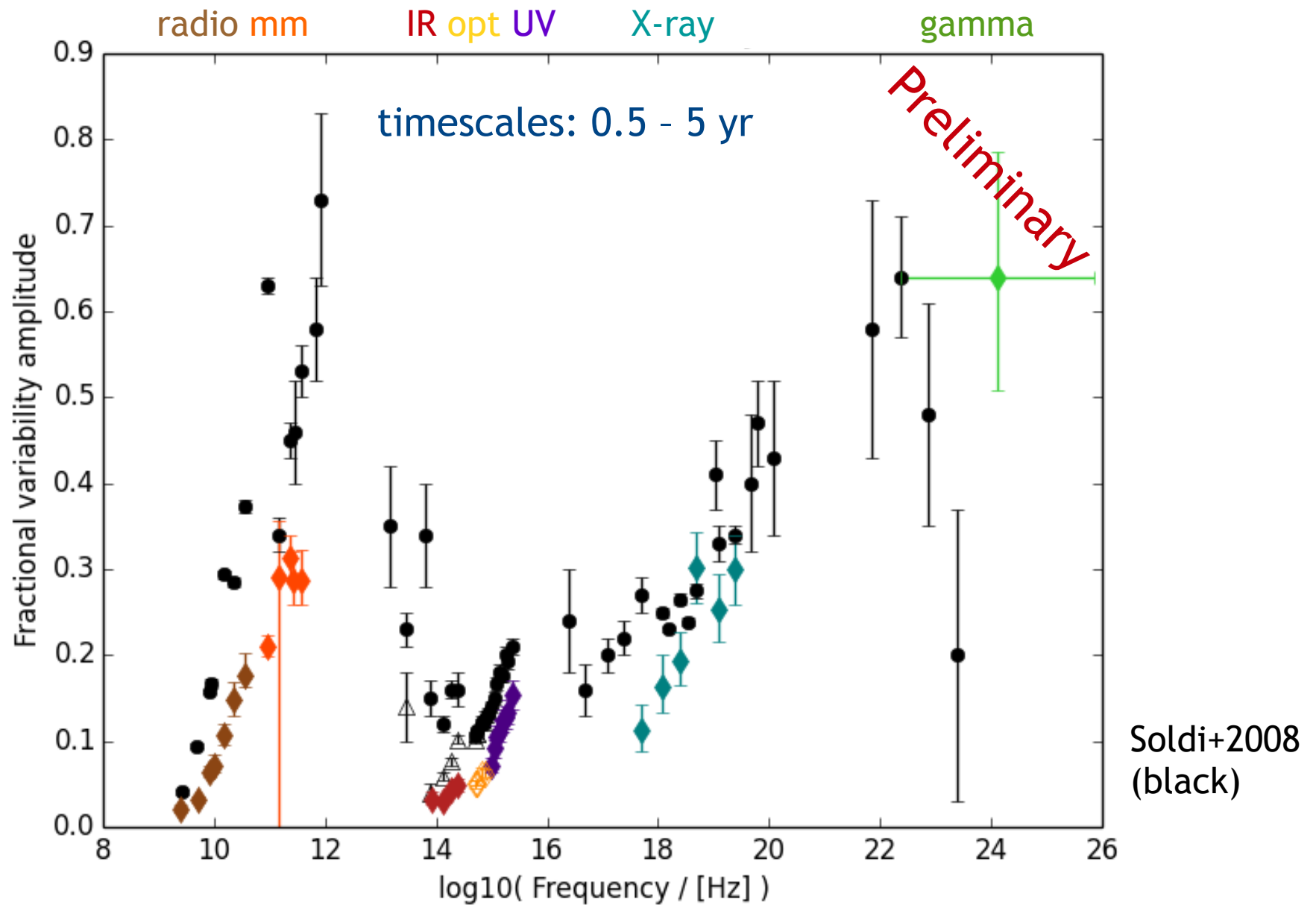


Variability of 3C 273 from radio to γ -rays

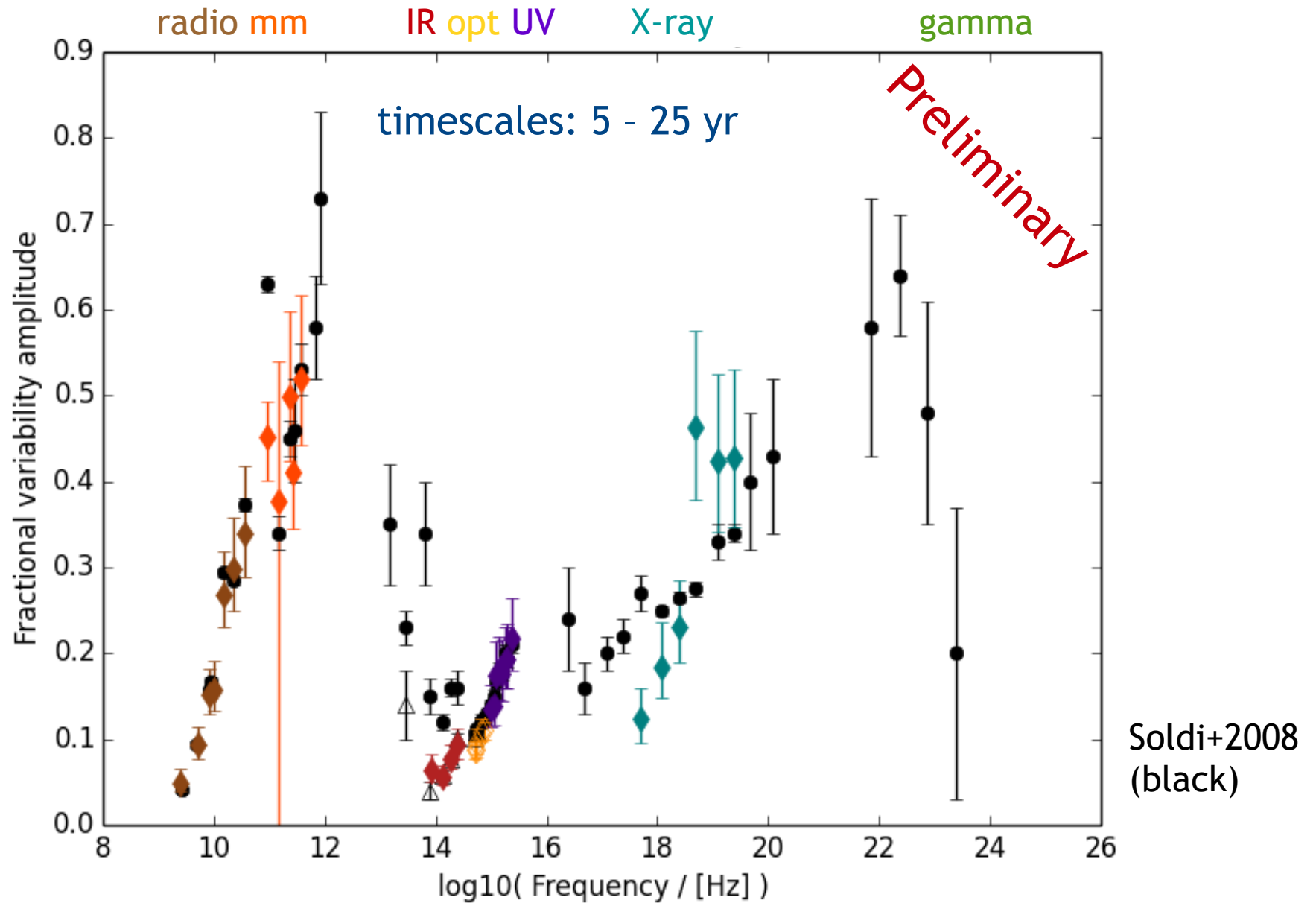


Sobolewska+2015 (in prep.)

Variability of 3C 273 from radio to γ -rays



Variability of 3C 273 from radio to γ -rays



Sobolewska+2015 (in prep.)

Summary

A method of estimating the variability features of a light curve, in particular its PSD (Kelly+2009, 2011, 2014).

Irregular sampling and measurement errors are fully accounted for.

Application 1:

The Fermi/LAT γ -ray lightcurves of blazars consistent with the **single or mixed OU process**.

Characteristic time scales constrained in two BL Lac type sources. Limits derived for the remaining sources.

Constraints on the **PSD slopes** for sources in the sample.

Application 2:

Multiwavelength **timescale-resolved** variability study of 3C 273 (preliminary).